

2013/01/21-23
Hongkong

Lecture: Introduction to ARPES

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Xingjiang Zhou

**National Lab for Superconductivity
Institute of Physics
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Beijing 100190, China**

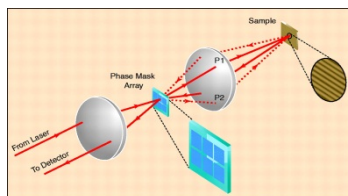
High-Tc Has Changed Landscape of Condensed Matter Physics

ARPES



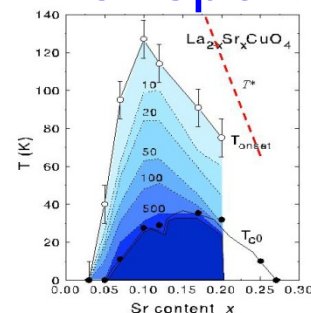
Nature 412(2001)510

Optical



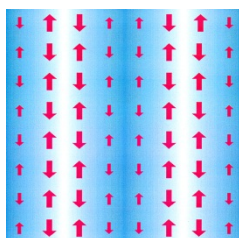
Science 300(2003)1410

Transport



Nature 406(2000)486

Neutron



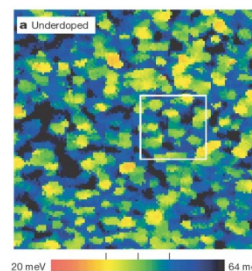
Nature 375(1995)561

High Tc Superconductivity



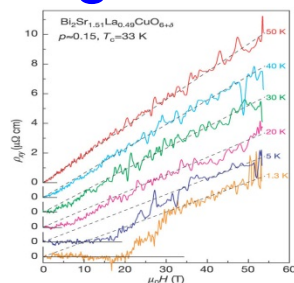
The Nobel Prize in
Physics in 1987

STM



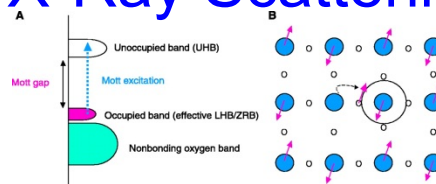
Nature 415(2002)412

High Magnetic Field



Nature 424 (2003)912

X-Ray Scattering



Science 288(2000)1811

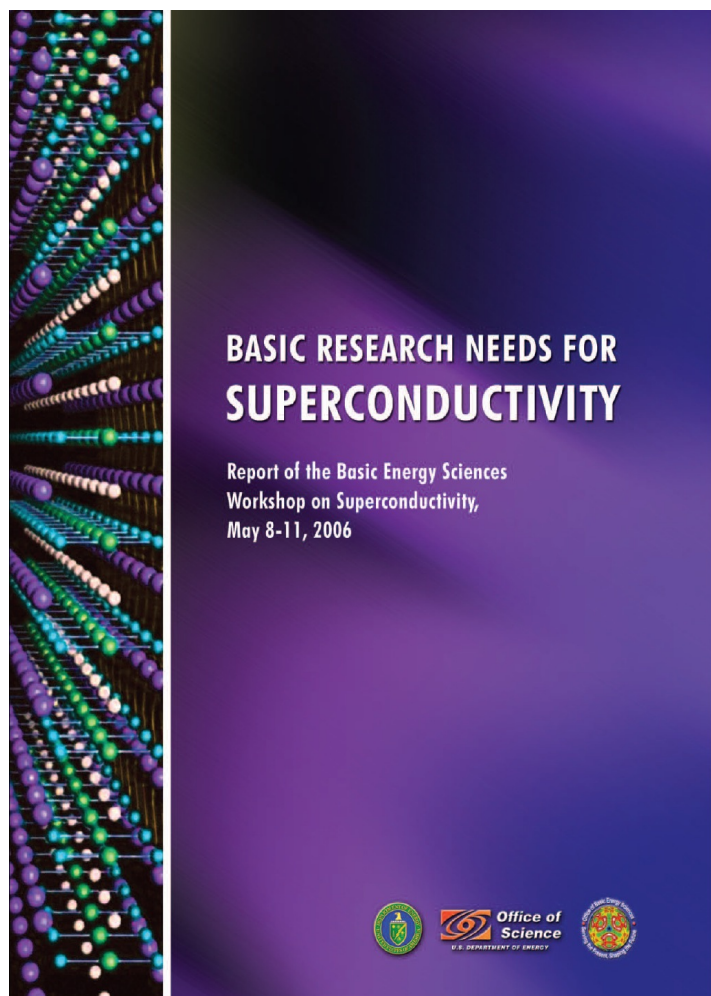
High Pressure



Nature 365(1993)323

Experimental Tools for Superconductivity

DOE Report (2006)



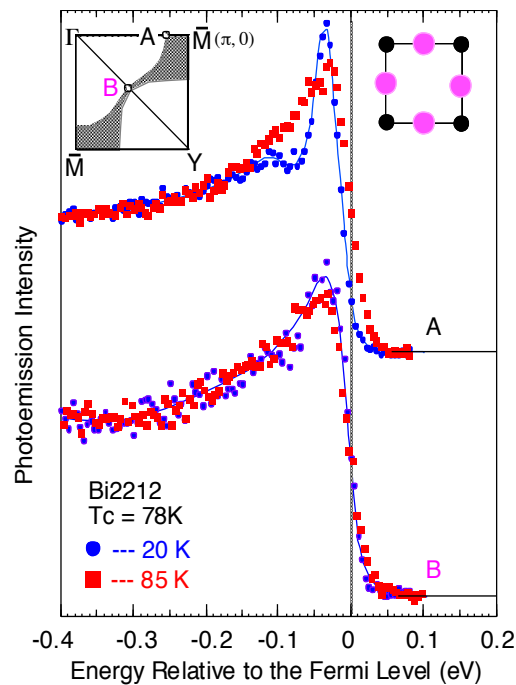
ARPES *Techniques and Opportunities*

- Angle-Resolved Photoemission Spectroscopy (ARPES). Wavelike quantum states of the electrons are defined in momentum space (k -space). ARPES allows direct determination of the complete momentum-space electronic structure, $A(k, E)$, with remarkable energy and momentum resolution.
- *Spectroscopic Imaging-Scanning Tunneling Microscopy (SI-STM)*. This is the complementary technique to ARPES that allows mapping of the energy-resolved quantum states in real space (r -space) with atomic resolution and yet over large sample areas.
- *Microwave/terahertz/infrared/optical spectroscopies*. These probe the electronic excitations and charge dynamics in both the frequency and time domains. This information is the key to understanding the dynamical interactions of the electrons.
- *Resonant elastic and inelastic x-ray spectroscopy*. Resonant elastic and inelastic x-ray scattering can now reveal spin and charge density waves and superlattices with tiny modulation amplitudes. This information is critically important for understanding spatially periodic electronic states of matter.
- *Neutron Scattering (NS)*. High-intensity NS — for example, from the Spallation Neutron Source — will allow precision measurements of both magnetic ground states and the complete spectrum of magnetic excitations in high-temperature and exotic superconductors.
- *NMR/NQR/ μ SR*. NMR measures spin dynamics, NQR measures the charge heterogeneity and dynamics, and μ SR measures nanoscale variation in local magnetic field strength. These are essentially local spin/charge probes, but without imaging capabilities.

ARPES on High Temperature Cuprate Superconductors

d-wave Superconducting gap

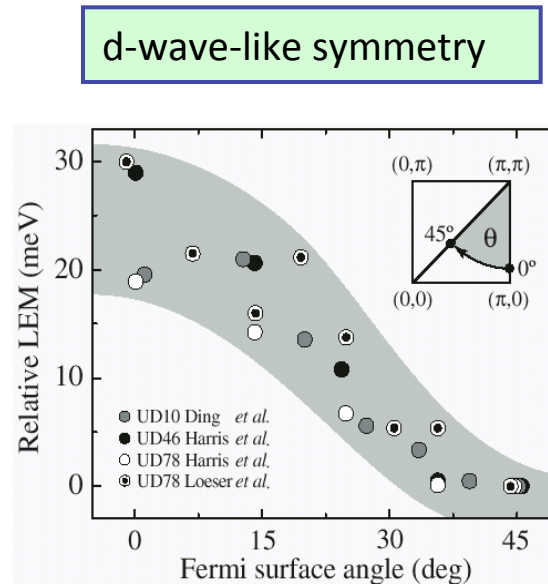
ARPES on Superconducting gap



Z.-X. Shen *et al.*, *Phys. Rev.Lett.* 70(1993)1553.

Pseudogap

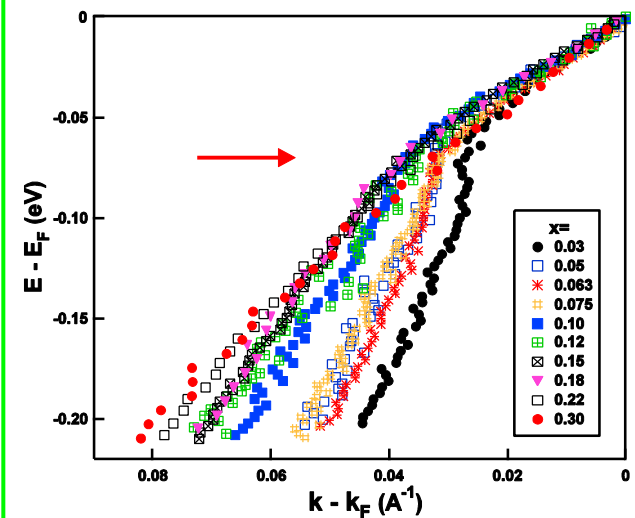
ARPES on Pseudogap



Loeser *et al.*, *Science* 273(1996)325.
Ding *et al.*, *Nature* 382(1996) 51.

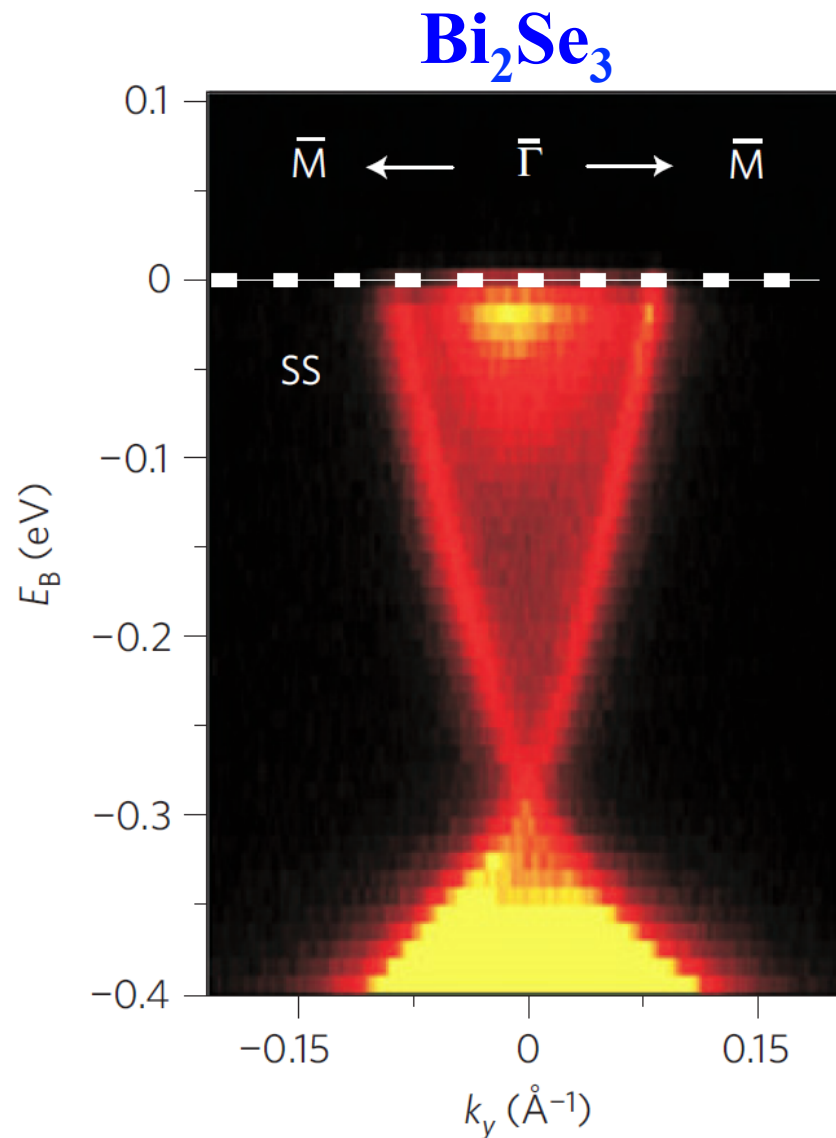
Many-Body Effects

ARPES on Kink

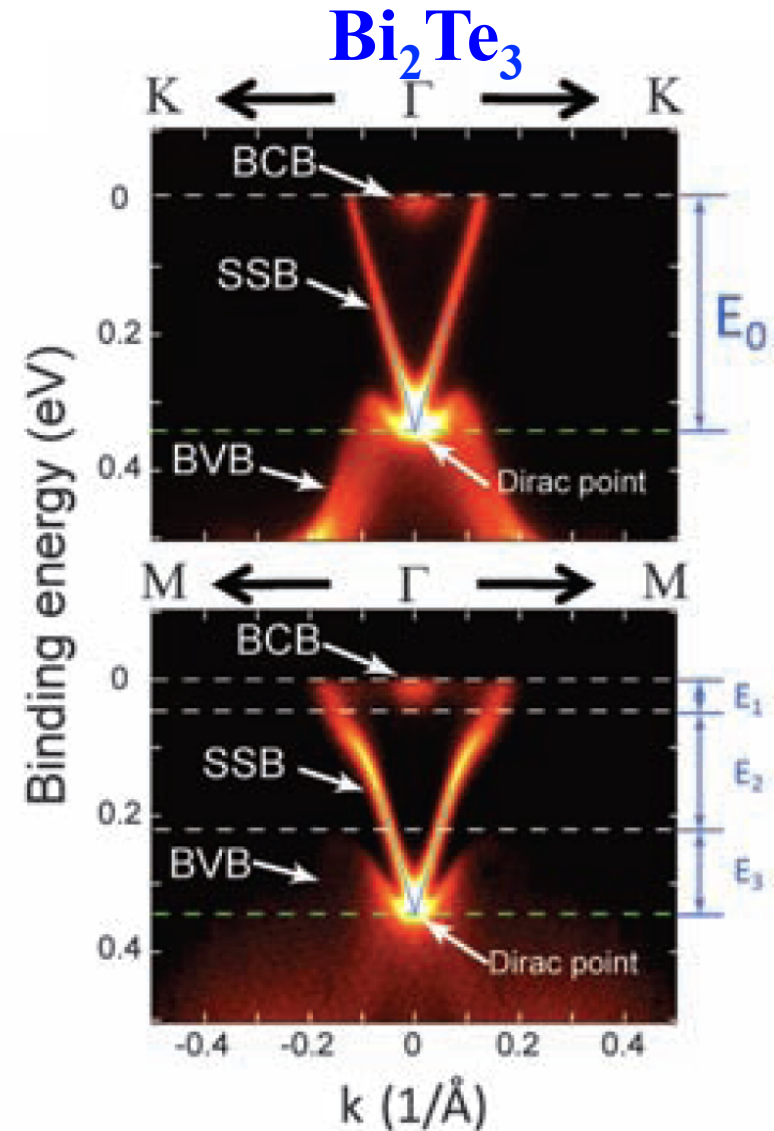


A. Lanzara *et al.*, *Nature* 412(2001)510.
X. J. Zhou *et al.*, *Nature* 423(2003)398.

ARPES on Topological Insulators



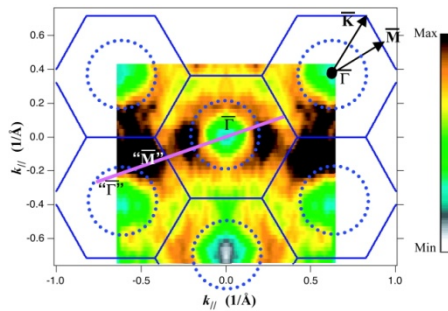
Y. Xia et al., Nature Phys. 5(2009)398.



Y. L. Chen et al., Science 325 (2009)178.

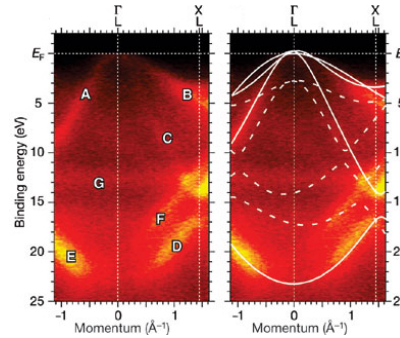
ARPES on Various Materials

C_{60}



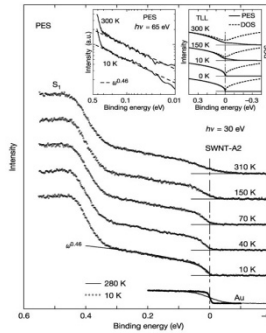
Science 300(2003)303

Diamond



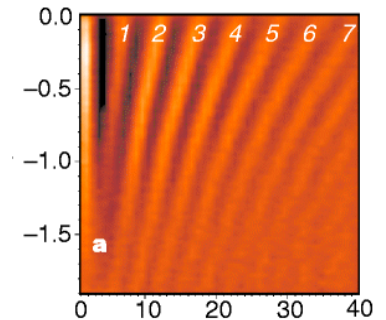
Nature 438(2005)647

Nanotube



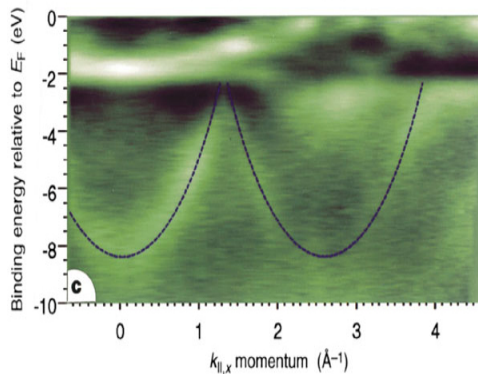
Nature 426(2003)540

Quantum Well



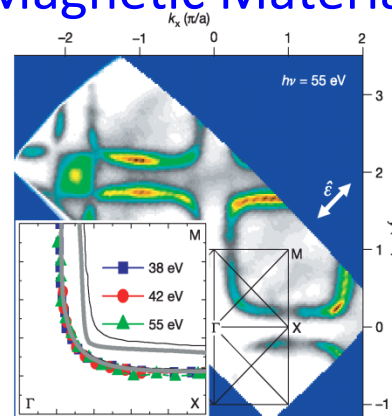
Nature 398(1999)132

Quasicrystal



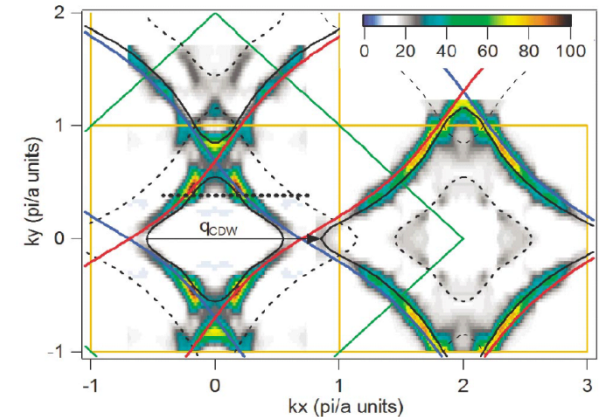
Nature 406(2000)602

Magnetic Materials



Nature 438(2005)474

CDW



Phys. Rev. Lett. 93(2004)126405

Content

➤ **What is ARPES?**

Brief history, ARPES process,
ARPES setup (Light sources, electron analyzer),
ARPES resolutions, Matrix element effect

➤ **What can ARPES do?**

Fermi surface mapping,
Gap measurement
Many-body effects

➤ **Latest and future development of ARPES**

(Laser ARPES, spin-resolved, time-resolved, spatially-resolved)



Brief History of ARPES

Principle of Photoemission—Photoelectric Effect

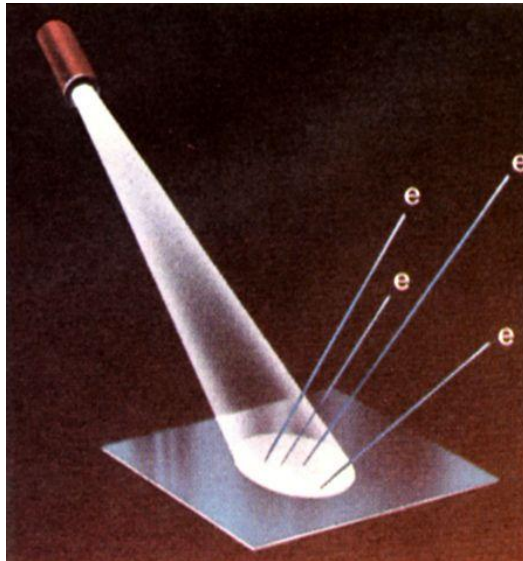
Discovery (1887)

German Physicist:
Hertz



Heinrich Rudolf Hertz
(1857-1894)

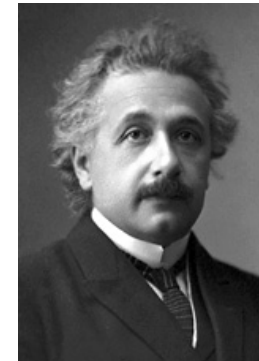
Photoelectric Effect



Explanation (1905) :



**The Nobel Prize
in Physics 1921**



**Albert
Einstein
(1879-1955)**

“For his services to
Theoretical Physics, and
especially for his discovery
of the law of

The Photoelectric Effect”

Nobel Prizes in Photoemission Spectroscopy



The Nobel Prize in Physics
1924



Karl Manne
Georg
Siegbahn
(1886-1978)

“for his
discoveries
and research
in the field of
X-ray
spectroscopy ”

“The X-ray spectra and
the structure of the atoms”



The Nobel Prize in Physics
1981



Kai
M.
Siegbahn
(1918-2007)

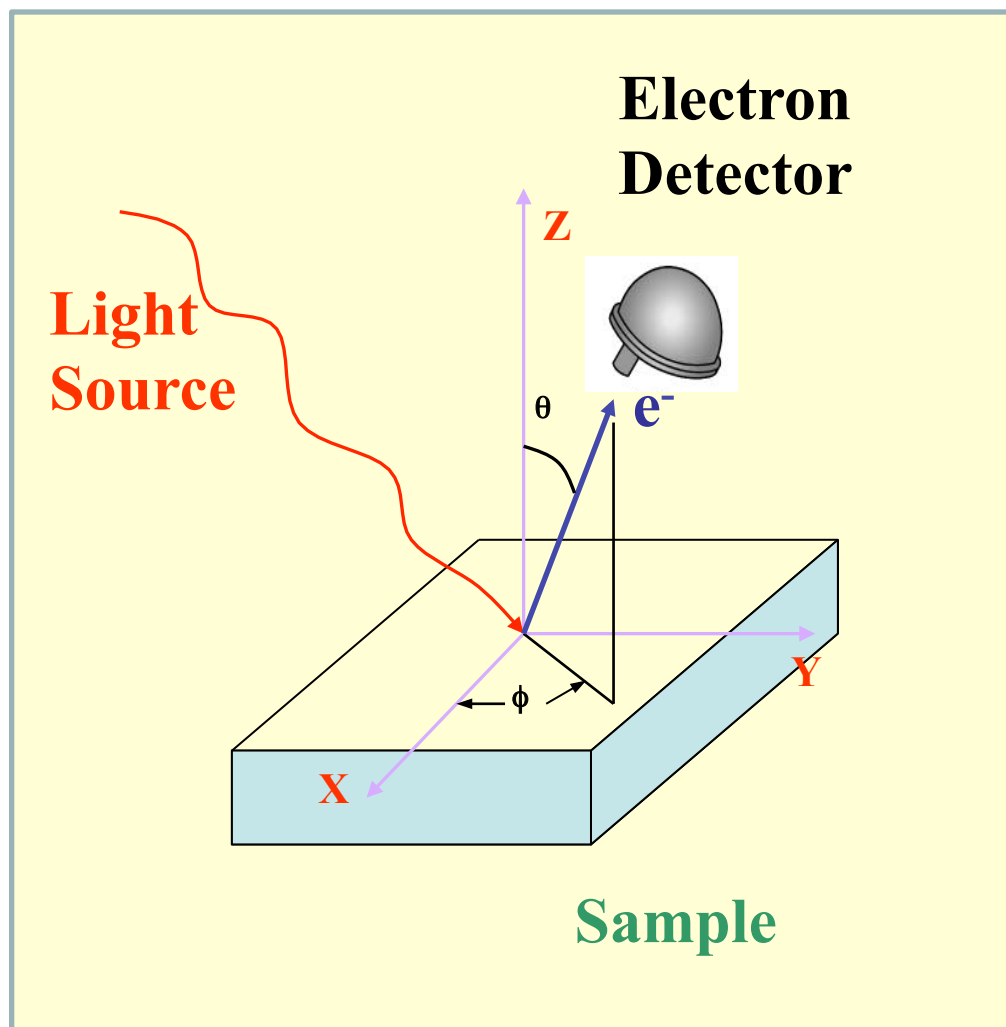
“for his
contribution to
the
development of
high-resolution
electron
spectroscopy ”

“Electron Spectroscopy for Atoms,
Molecules and Condensed Matter”

Classifications of Photoemission Techniques

Photoemission	Angle-Integraed	Angle-Resolved
Spin-integrated	E	E, k
Spin-resolved	E, s	E, s , k

Angle-Resolved Photoemission Spectroscopy (ARPES)



Photoemitted electrons in Vacuum
along different angles

$$E_{\text{kin}}, K_{\parallel}$$

Energy Conservation: $E_B = h\nu - E_{\text{kin}} - \Phi$
Momentum Conservation: $K_{\parallel} = k_{\parallel} + G_{\parallel}$

Electronic States in Solid:

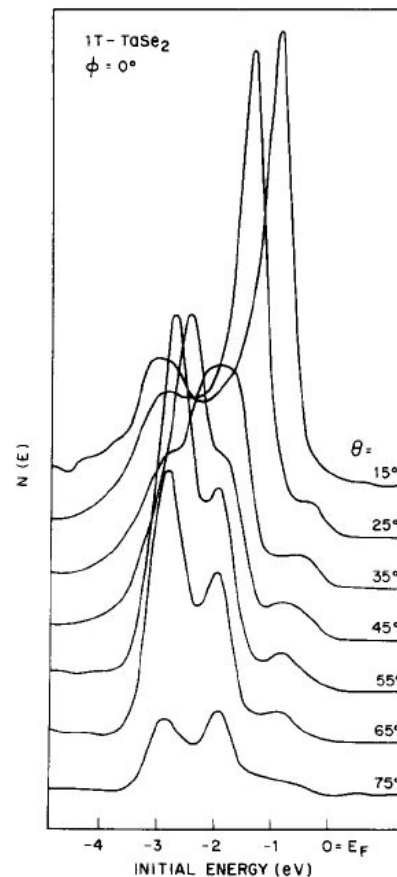
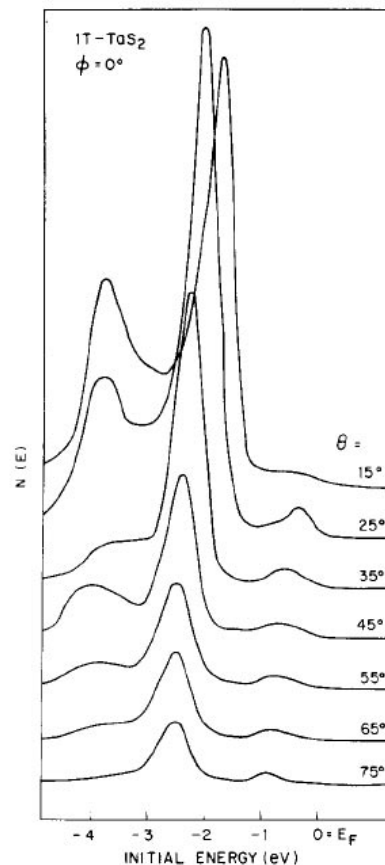
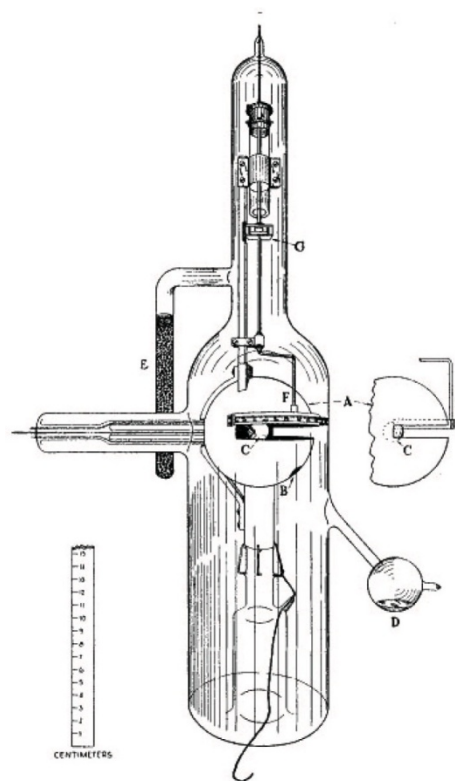
$$\Psi(E, k, s)$$

E-Energy ;
k-Momentum;
s-Spin.

First Angle-Resolved Photoemission Experiment of Band Mapping



Neville V. Smith
(1942-2006)

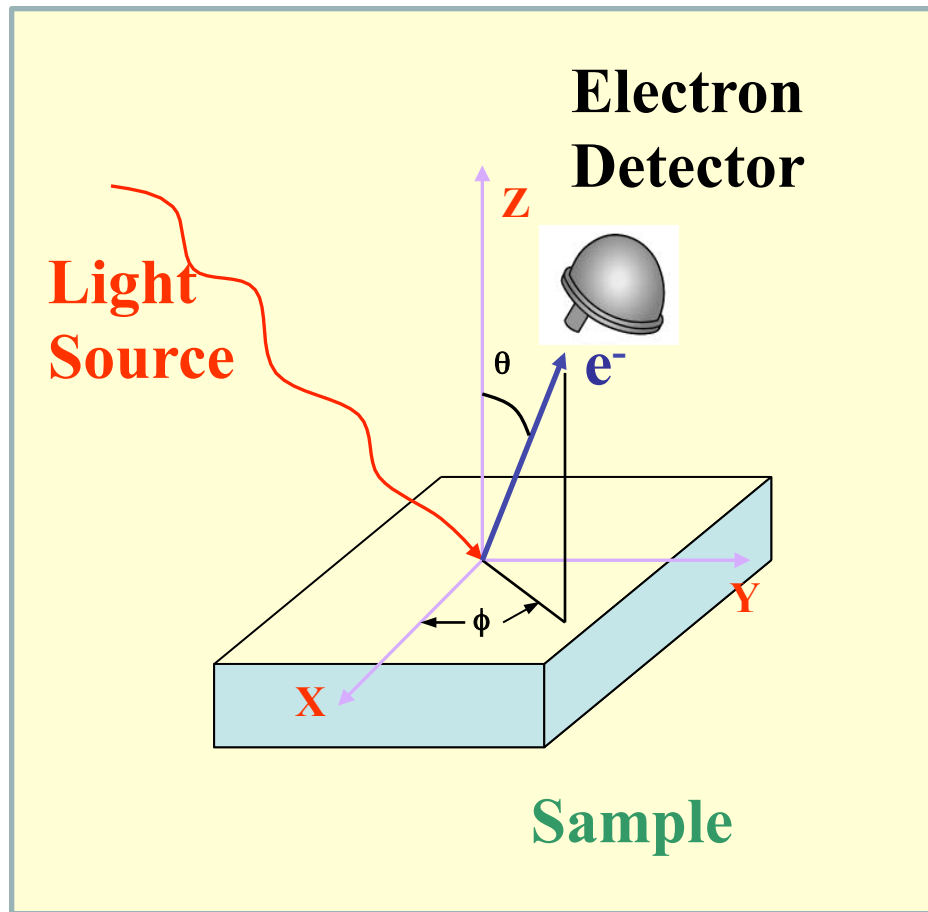


N. V. Smith, M.M. Traum and F.J. DiSalvo

Solid State Communications 15, 211 (1974)

Angle-Resolved Photoemission Spectroscopy (ARPES)

$$E_K = \hbar^2 / 2m_e (K_{out}^2) = \hbar^2 / 2m_e (K_{x,out}^2 + K_{y,out}^2 + K_{z,out}^2)$$



$$K_{x,out} = \sqrt{2m_e E_K} \sin\theta$$

$$K_{y,out} = \sqrt{2m_e E_K} \cos\theta \sin\beta$$

$$K_{z,out} = \sqrt{2m_e E_K} \cos\theta \cos\beta$$

$$E_B = h\nu - \Phi - |E_K|$$

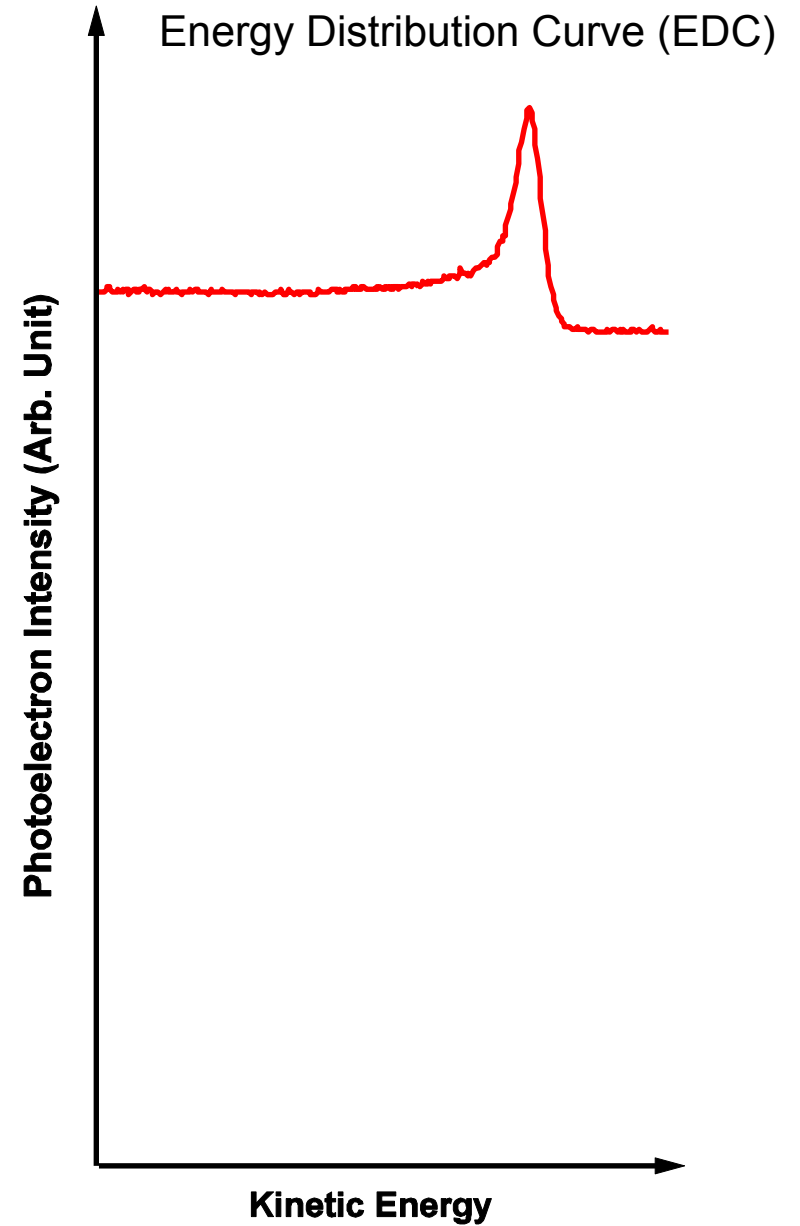
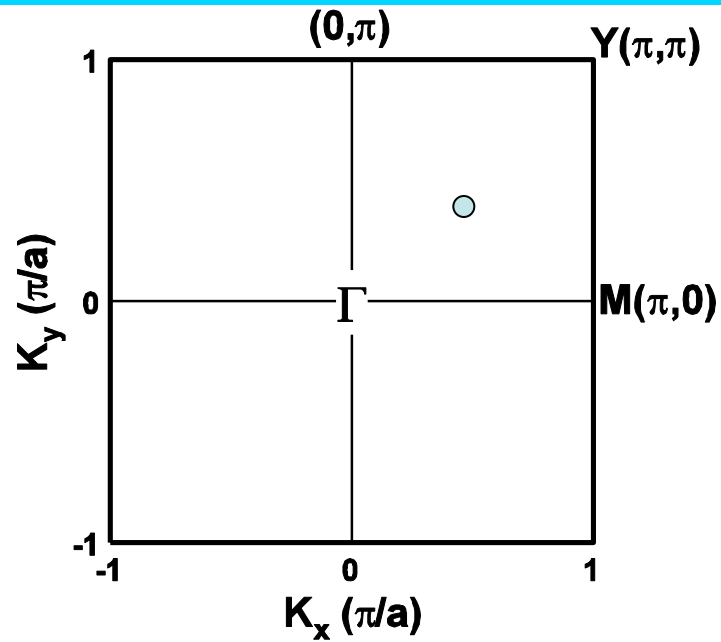
$$k_{x,i} = 0.512 \sqrt{E_K} \sin\theta$$

$$k_{y,i} = 0.512 \sqrt{E_K} \cos\theta \sin\beta$$

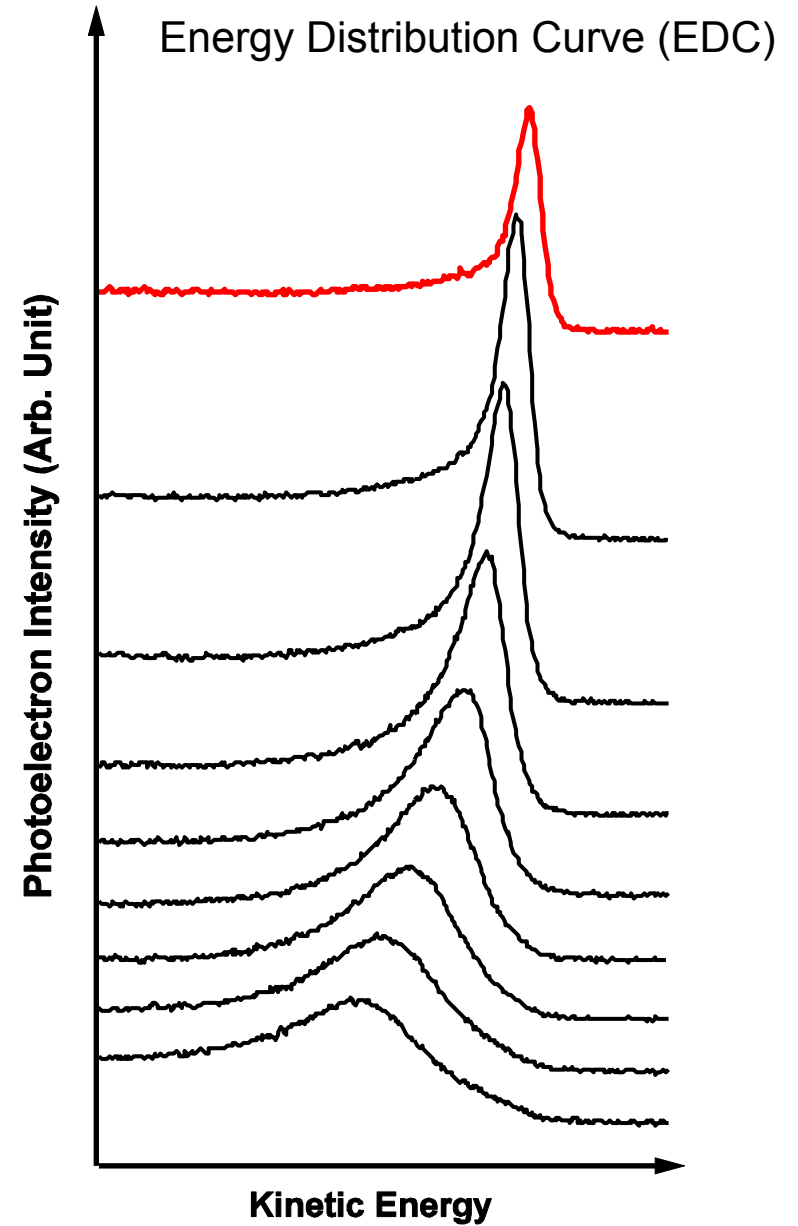
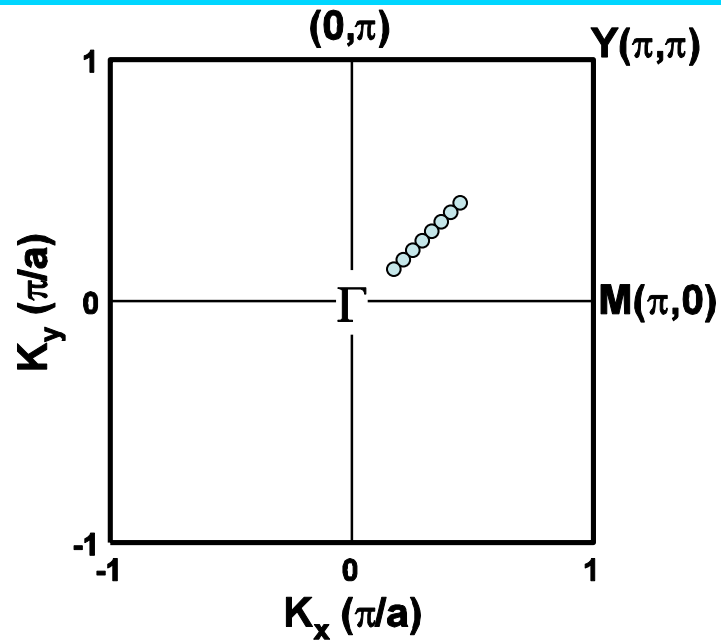


Photoemission Process

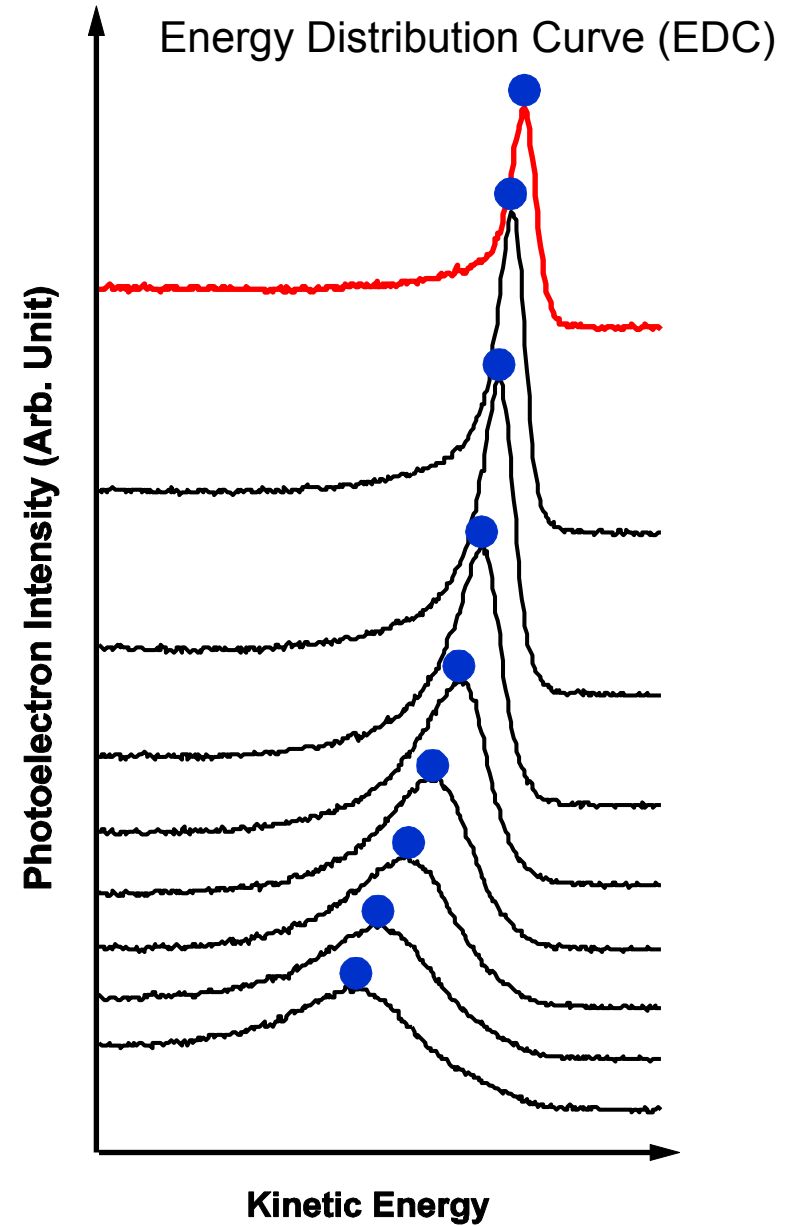
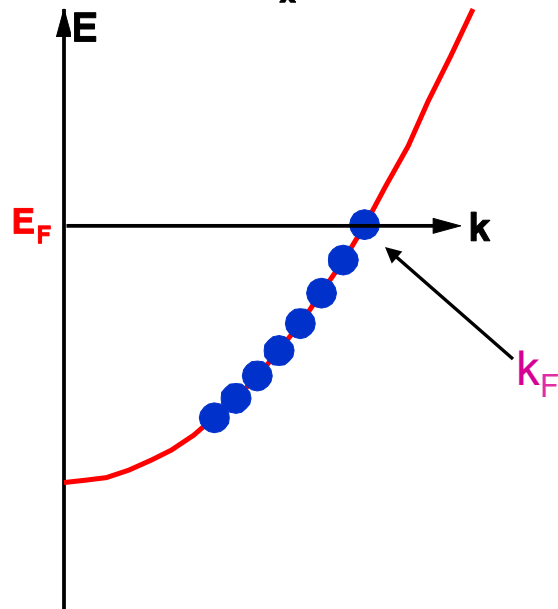
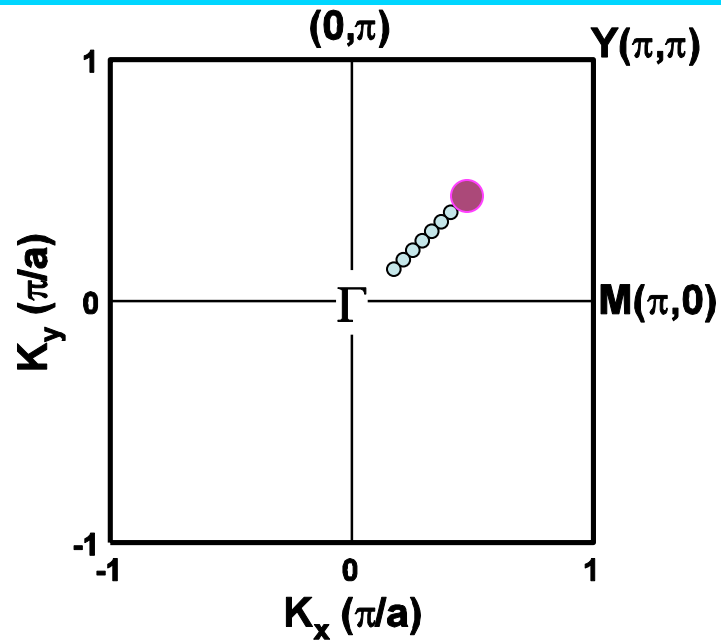
ARPES – Band Mapping and Fermi Surface



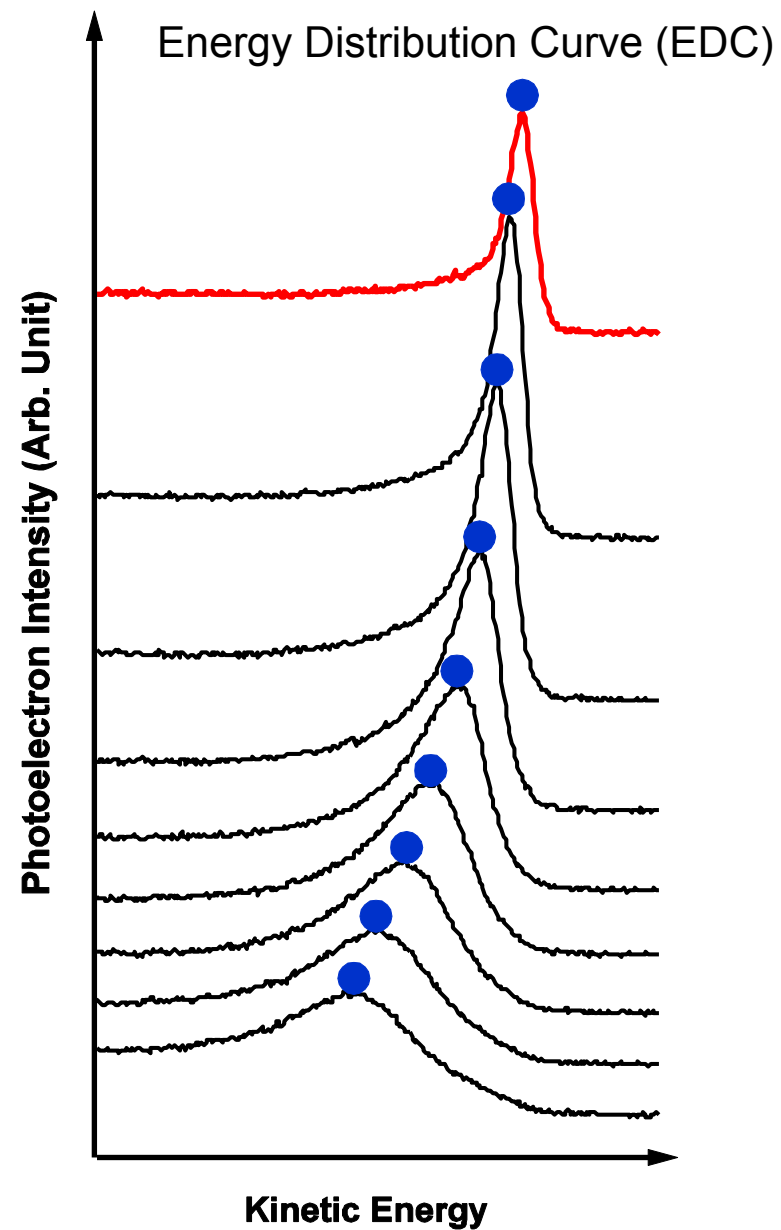
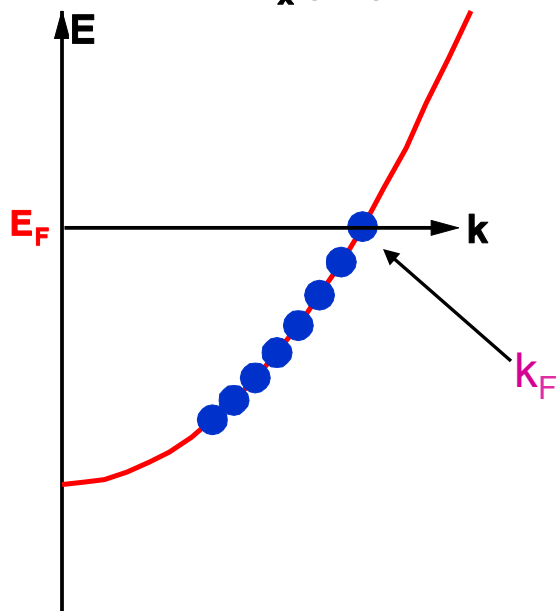
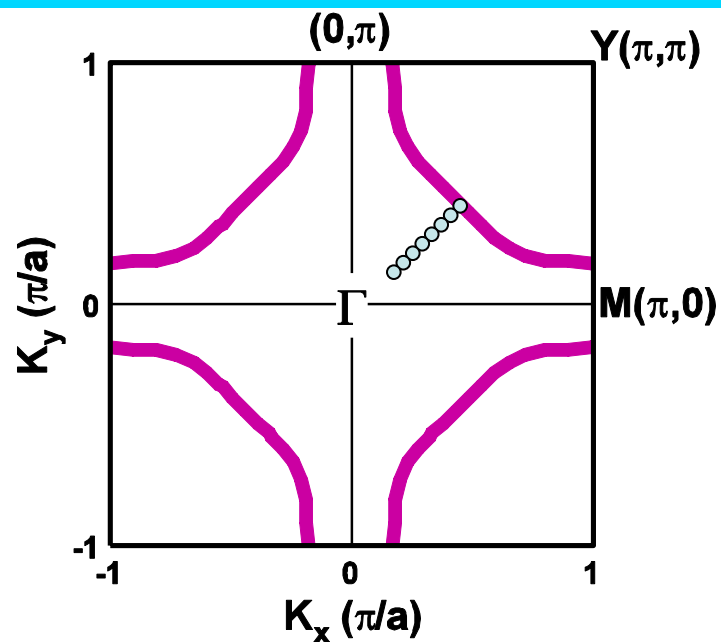
ARPES – Band Mapping and Fermi Surface



ARPES – Band Mapping and Fermi Surface

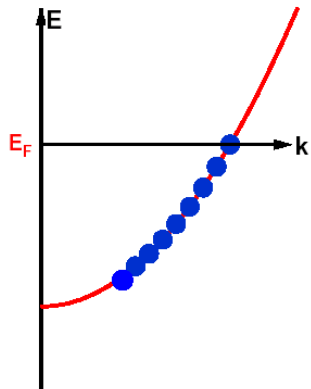


ARPES – Band Mapping and Fermi Surface



Power of ARPES:

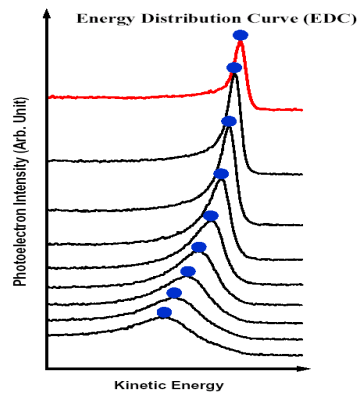
Direct Measurement of Fundamental Parameters



E-k relation

Velocity: $v = dE/dk$

Effective mass: $1/m^* \sim d^2E/dk^2$

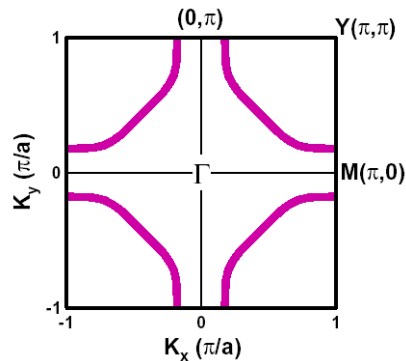


EDC lineshape

Scattering rate (τ): EDC Linewidth

Superconducting gap: EDC position

Pseudogap: EDC position



Fermi surface

Carrier density: FS volume

Nesting vector: FS topology



ELSEVIER

Journal of Electron Spectroscopy and Related Phenomena 124 (2002) 289–315

**JOURNAL OF
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Sudden approximation in photoemission and beyond

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Received 27 September 2001; received in revised form 2 November 2001; accepted 26 November 2001

$$G(\mathbf{k}, \omega) = \frac{1}{\omega - \epsilon_{\mathbf{k}} - \Sigma(\mathbf{k}, \omega)}$$

$$A(\mathbf{k}, \omega) = - (1/\pi) \text{Im } G(\mathbf{k}, \omega)$$

Challenge: At which point the sudden approximation breaks down and how?

Angle-Resolved Photoemission Spectroscopy (ARPES)

-- Direct Comparison between Theory and Experiment

$$I(k, \omega) = I_0 |M(k, \omega)|^2 f(\omega) A(k, \omega)$$

Under the impulse approximation,
photoemission measurement involves
only *single-particle spectral function*

$$A(k, \omega) = \frac{1}{\pi} \frac{\text{Im} \sum(k, \omega)}{[\hbar\omega - E_k^0 - \text{Re} \sum(k, \omega)]^2 + [\text{Im} \sum(k, \omega)]^2}$$

Theories

Fermi Surface

Quasiparticle Dynamics

ReS(k, ω): dispersion

ImS(k, ω): scattering rate

Physical Properties

ARPES: A Bridge between Theory and Experiment

- **Conventional Fermi Liquid:**

$$\text{Im}\Sigma = -\beta\omega^2$$

$$\text{Re}\Sigma = \alpha\omega$$

- **Marginal Fermi Liquid:**

$$\text{Im}\Sigma = -\pi/2C\chi$$

$$\text{Re}\Sigma = C\omega\ln(x/\omega c) \quad \text{where } x=\max(|\omega|, T)$$

- **Electron-Phonon Coupling System**

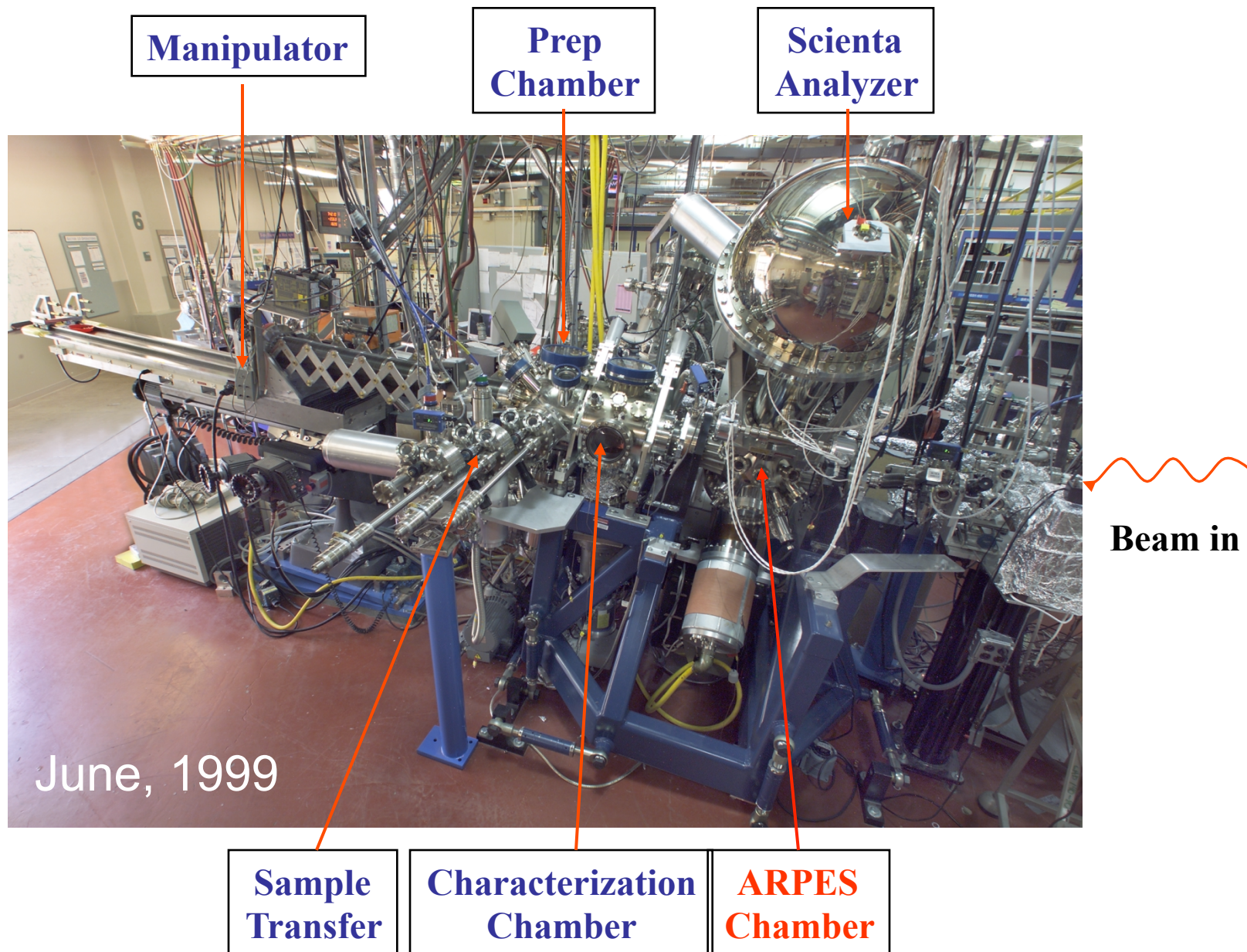
$$\text{Im}\Sigma = -\pi \int_0^\infty d\omega \alpha_k^2(\omega) F_k(\omega) [2n_B(\omega) + n_F(\omega + u) + n_F(\omega - u)]$$

$$\text{Re}\Sigma = -\int_0^\infty d\omega \alpha_k^2(\omega) F_k(\omega) \ln \left| \frac{\omega+u}{\omega-u} \right|$$



ARPES Experimental Setup

ARPES Endstation on BL10.0.1, ALS, LBNL



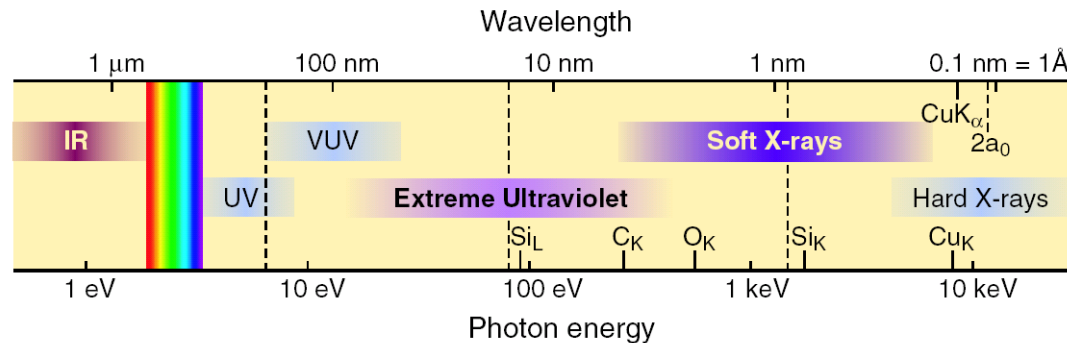
Some Remarks about ARPES

- **ARPES is a surface-sensitive technique,
→ultra-high vacuum is necessary;**
- **ARPES uses electron emission angle to
determine the momentum
→magnetic field is not welcome;**
- **Electrons have to travel to analyzer directly
→ARPES is not compatible with
high-pressure, ultra-low temperature yet.**

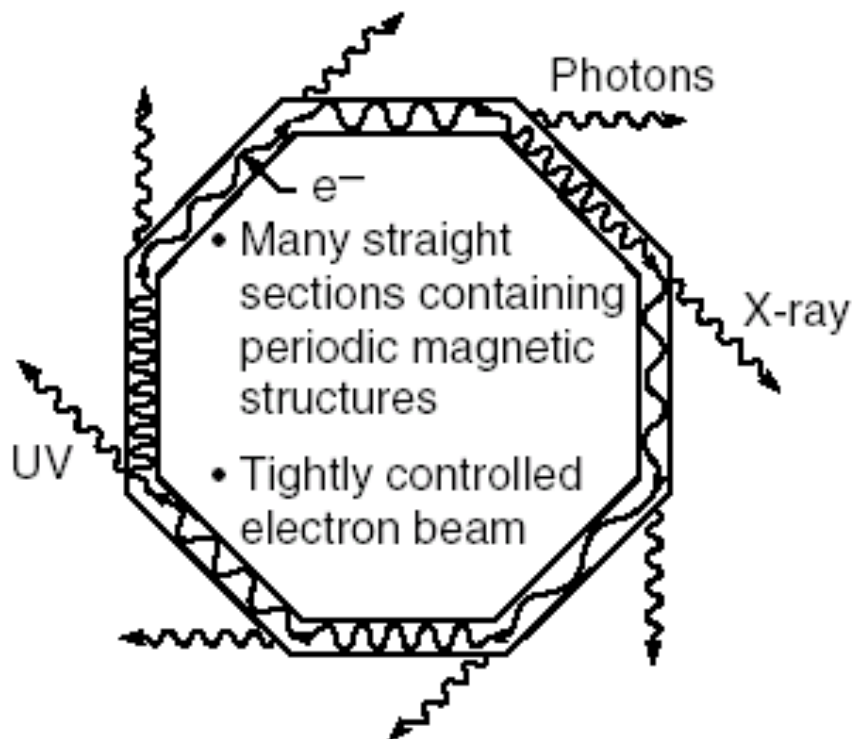
ARPES Light Sources

- 1. Synchrotron Light Sources;**
- 2. Gas Discharge Lamp;**
- 3. UV and VUV lasers.**

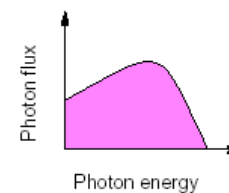
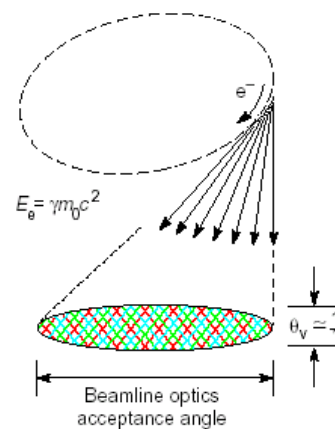
What is Synchrotron?



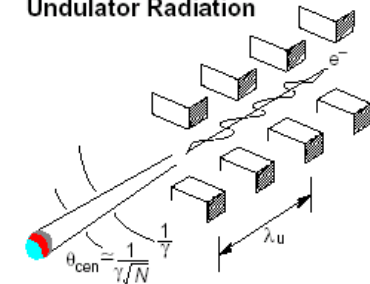
Principle: Charged particles with high energy (near speed of light) gives light when changing directions.



Bend-Magnet Radiation



Undulator Radiation

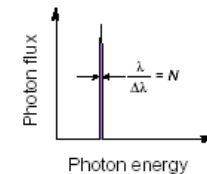


$$\lambda_x = \frac{\lambda_u}{2\gamma^2} \left(1 + \frac{K^2}{2} + \gamma^2 \theta^2 \right)$$

In the central radiation cone:

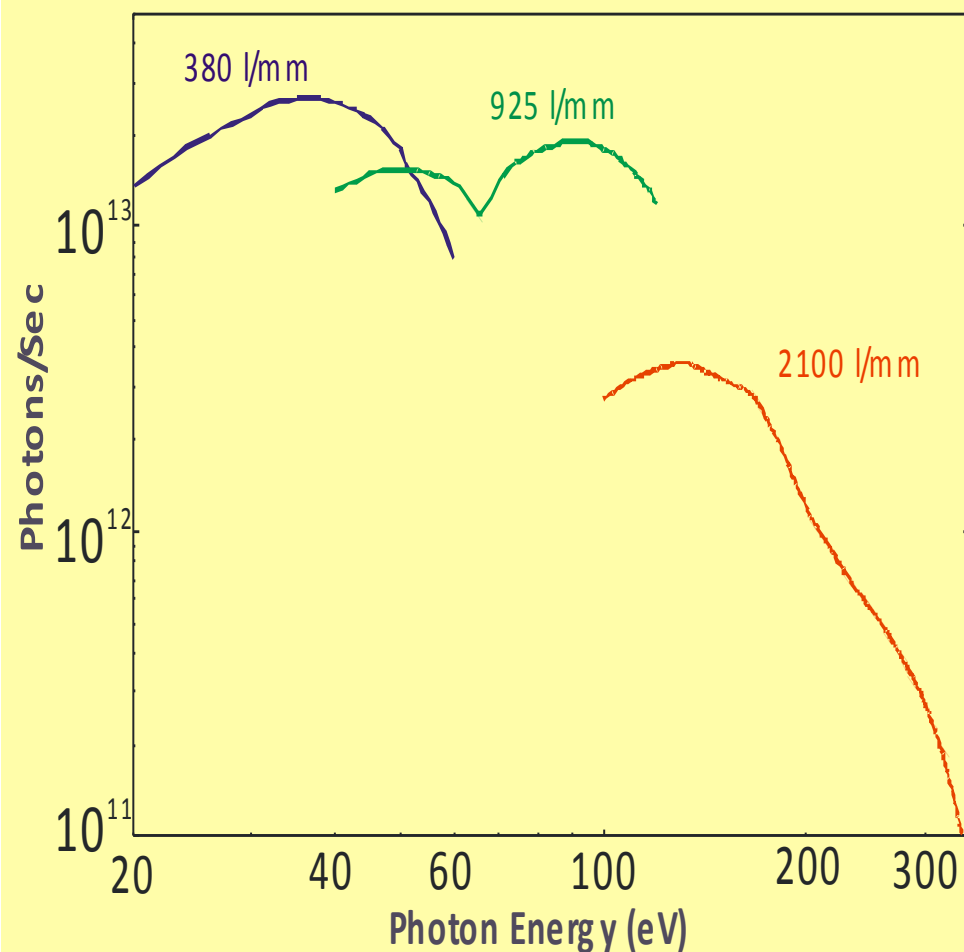
$$\frac{\Delta\omega}{\omega} \approx \frac{1}{N}$$

$$\theta_{cen} \approx \frac{1}{\gamma N}$$



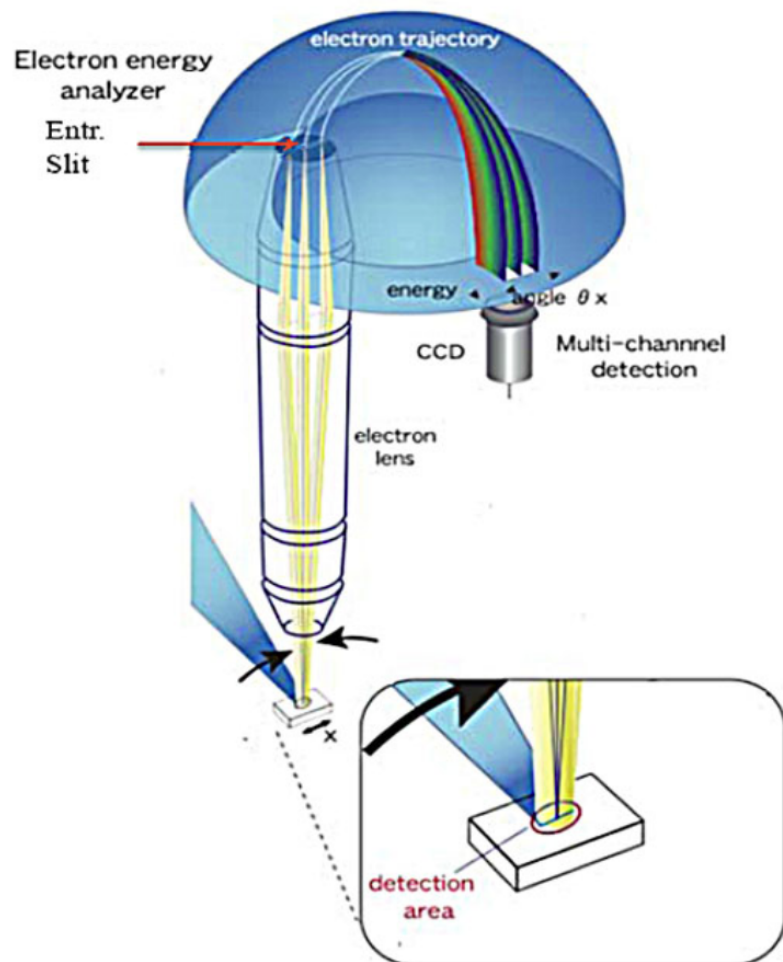
Synchrotron Source for ARPES: BL10.0.1 at ALS, Berkeley

High Flux



- **Wide Energy Range:**
17-360 eV;
- **High Energy Resolution;**
($<5\text{meV}$ between 20-50eV)
- **High Flux.**

Electron Energy Analyzer

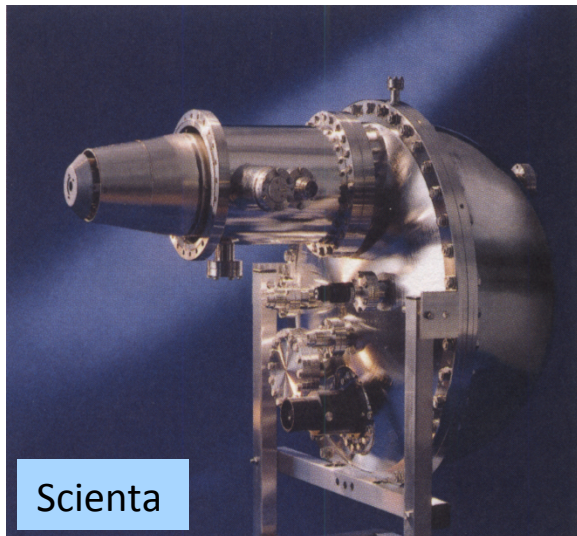


ARPES--Improved Resolution Brings New Discoveries

3rd Generation Synchrotron

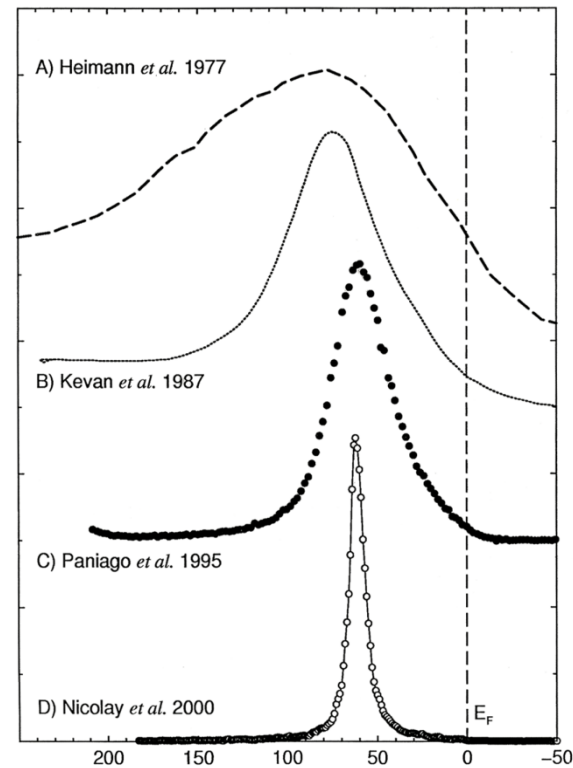


Electron Energy Analyzer



	Energy Resolution (meV)	Angle Resolution (degree)
Previous	20~40	~2
Now	<1	0.1

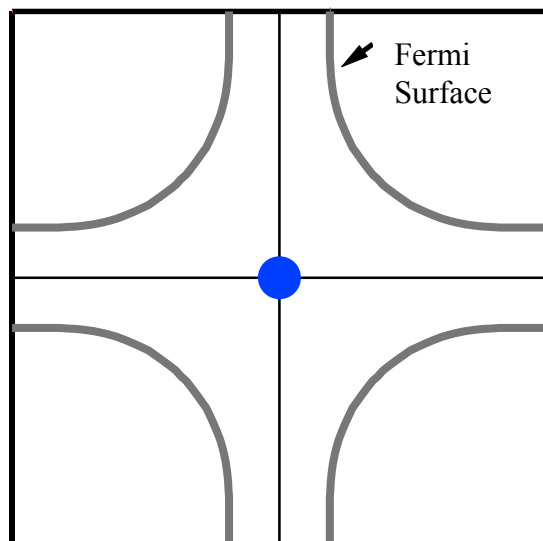
Ag(111) Surface State



G. Nicolay *et al.*, Phys. Rev. B 63(2001)115415.

Evolution of Energy Analyzers: from 0D to 1D Angular Detection

Before Scienta (~1997)

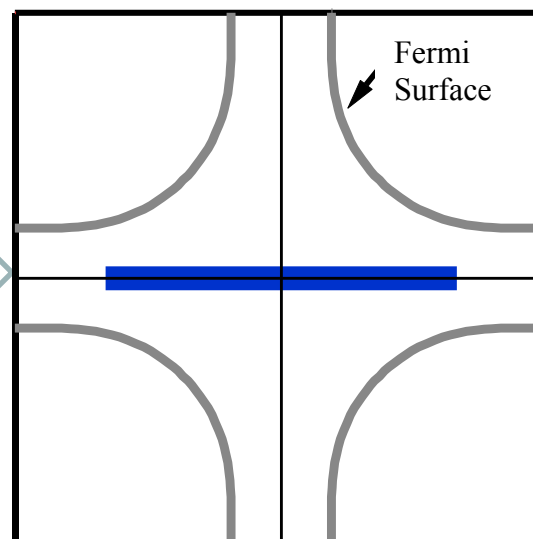


**Angle
Detection:
0D Point**

Hemispherical Analyzer



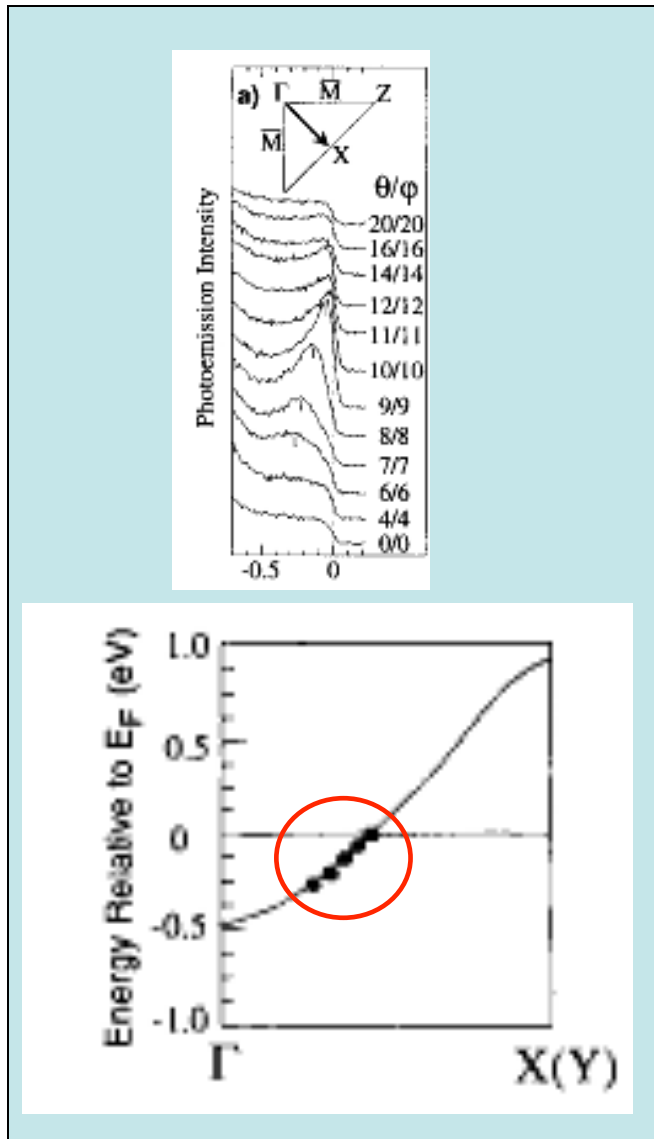
- Energy Resolu: $< 1 \text{ meV}$
- Angular Resolu: $0.1 \sim 0.4 \text{ Degree}$
- Angle Coverage: 1D: $\pm 15 \text{ degrees}$



**Angle
Detection:
1D Line**

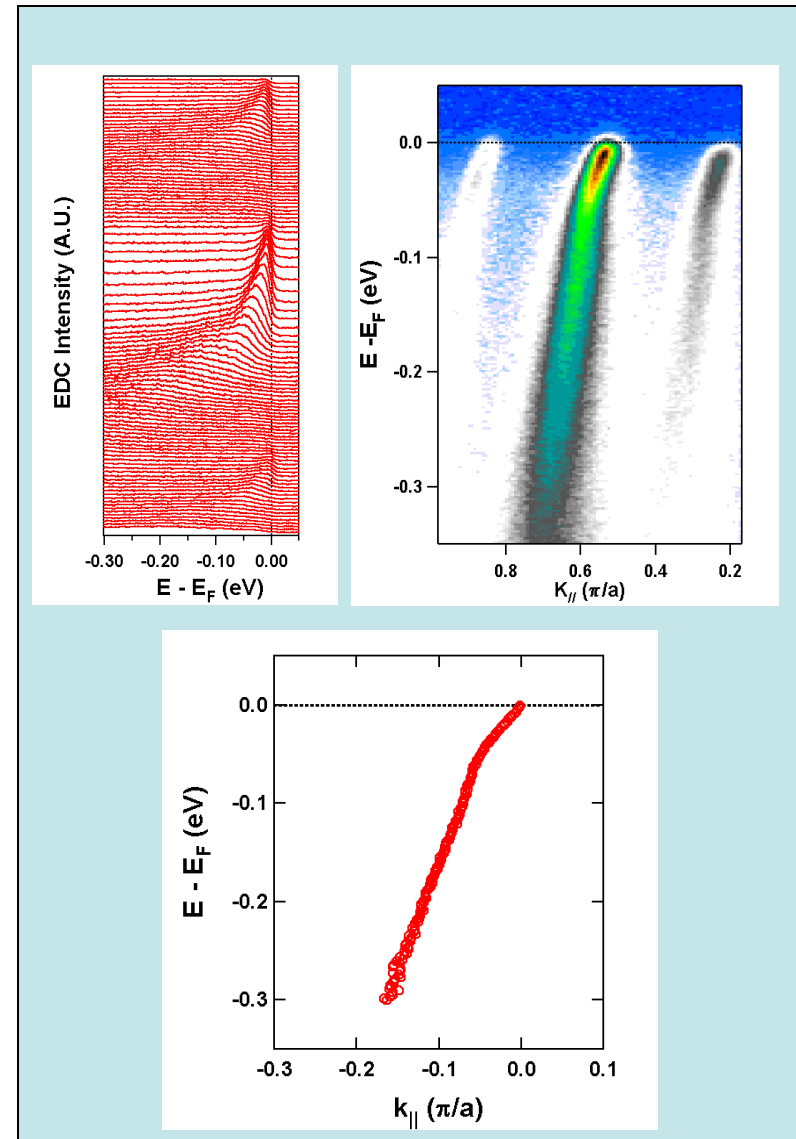
Better Resolution Reveals Electron Kinkiness in Cuprates

Angular Resolution: 2 degrees



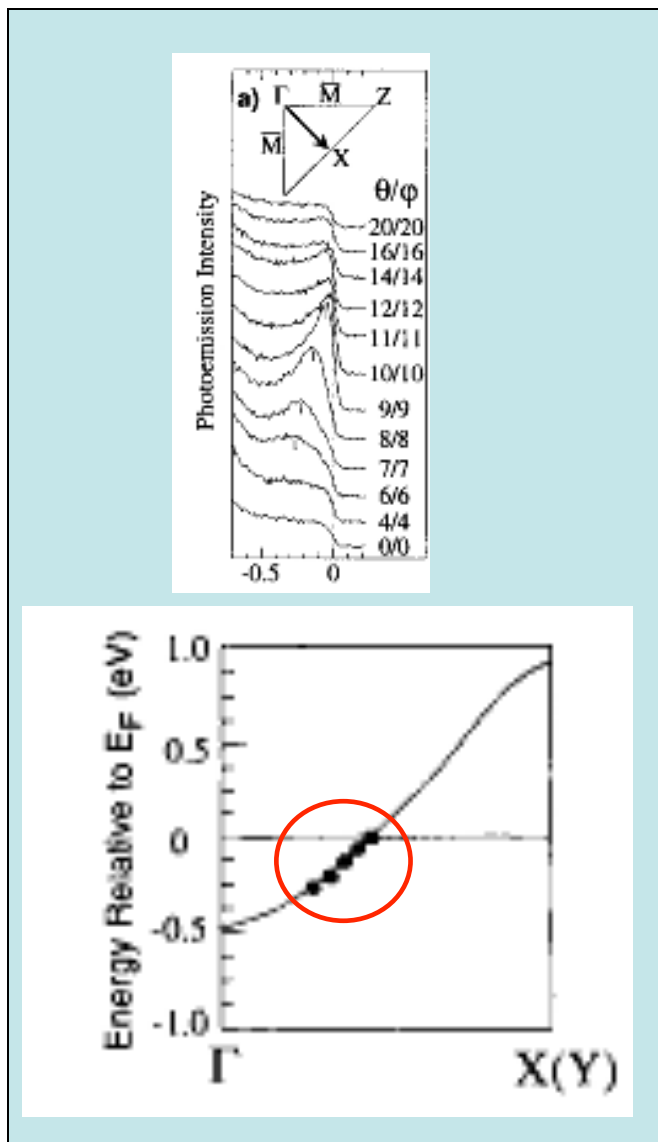
Dessau et al., PRL (1995).

Angular Resolution: 0.3 degree



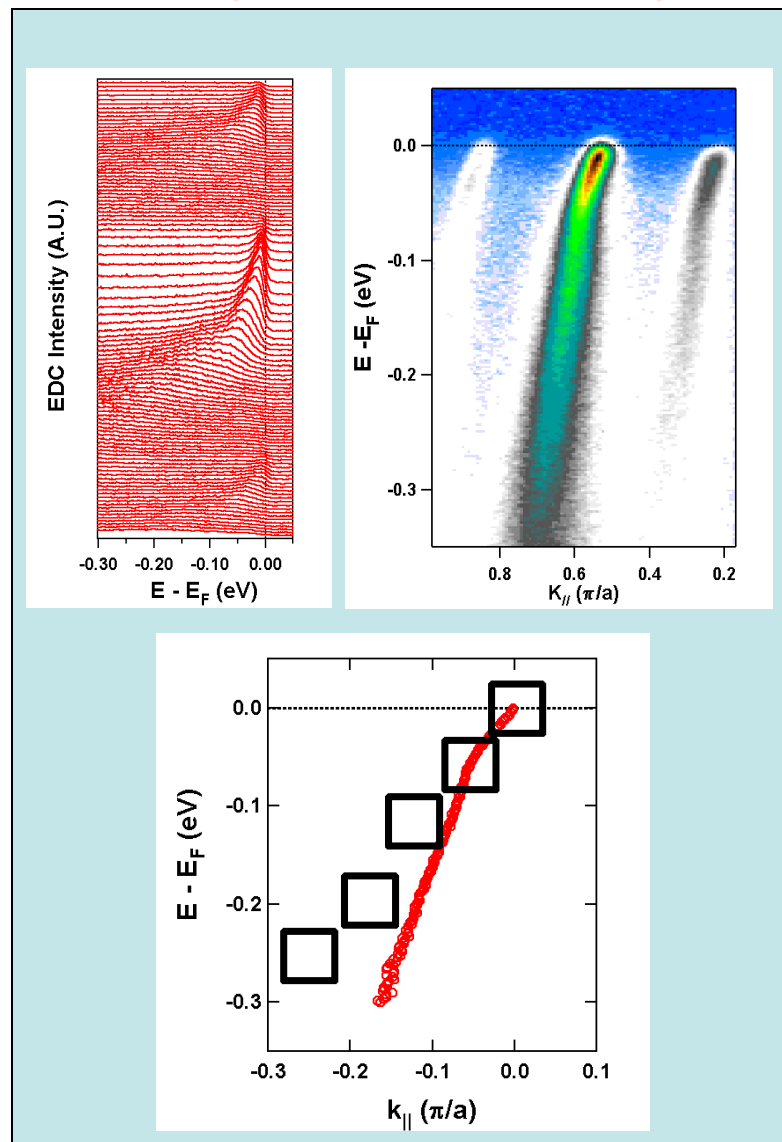
Better Resolution Reveals Electron Kinkiness in Cuprates

Angular Resolution: 2 degrees



Dessau et al., PRL (1995).

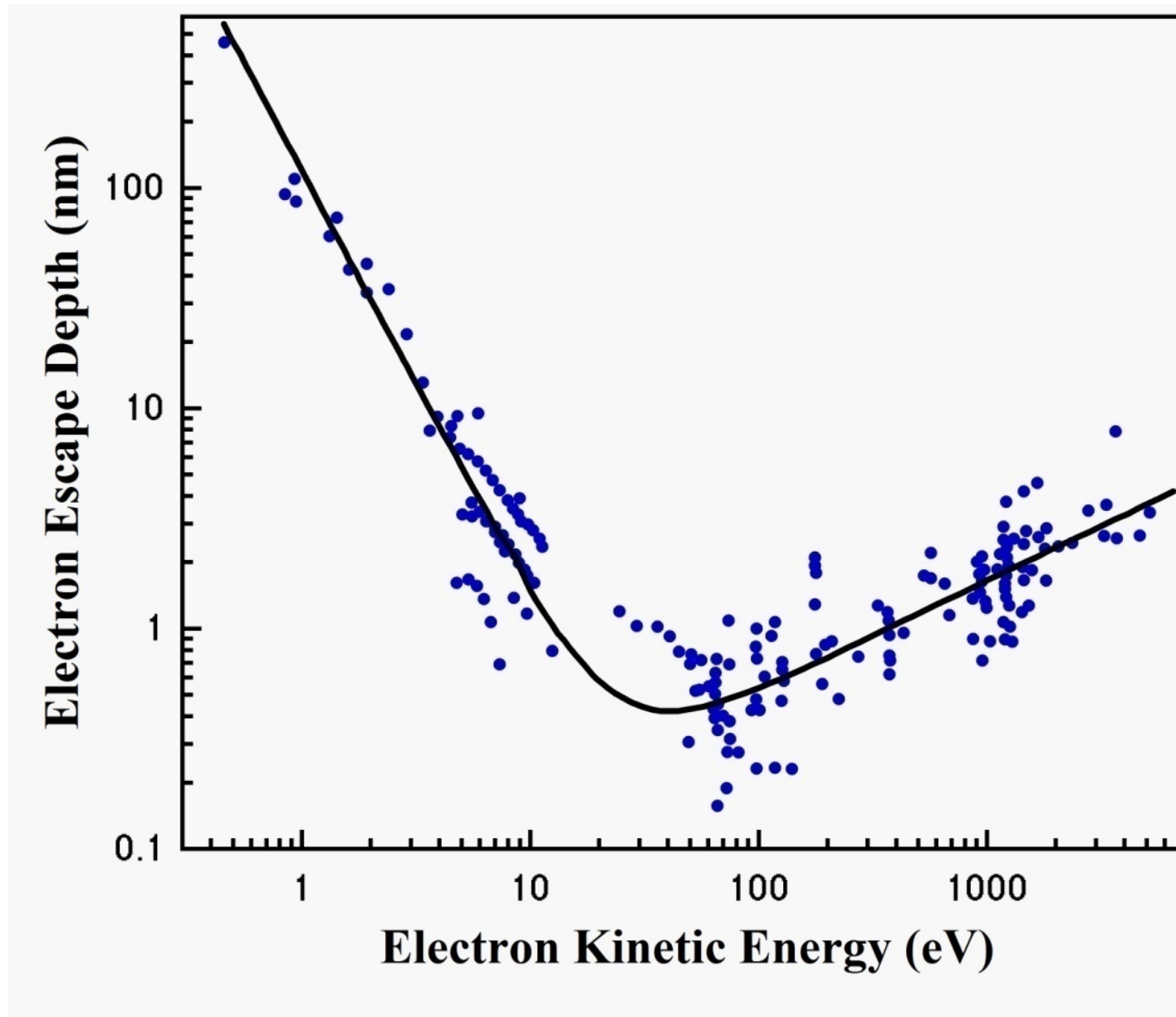
Angular Resolution: 0.3 degree





Related Issues in Photoemission

Surface vs Bulk Property Measurements



Matrix Element Effect in Photoemission

$$I = A(k, \omega) \times |M(k, h\nu)|^2 \times F(\omega)$$

Measured Signal

Single-particle spectral function
—Intrinsic property of materials

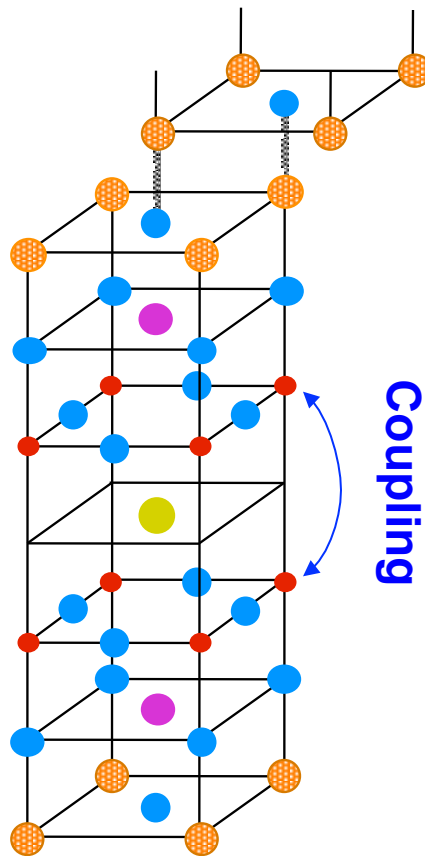
Fermi-Dirac Distribution

Matrix Element :

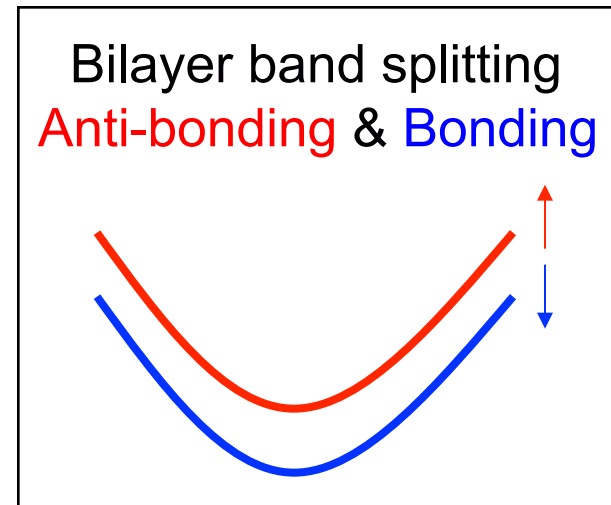
Depending on measurement conditions

- Photon energy;
- Photon polarization;
- Momentum.

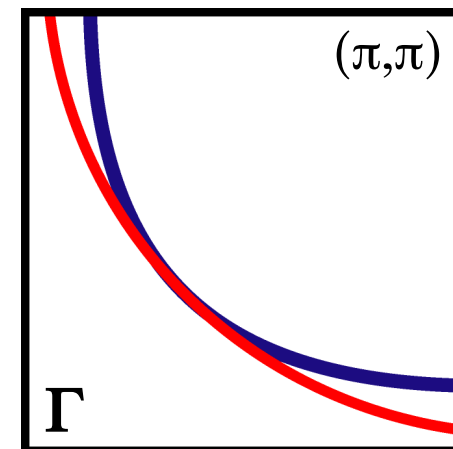
Bilayer Splitting in $\text{Bi}_2\text{Sr}_2\text{CaCu}_2\text{O}_{8+\delta}$



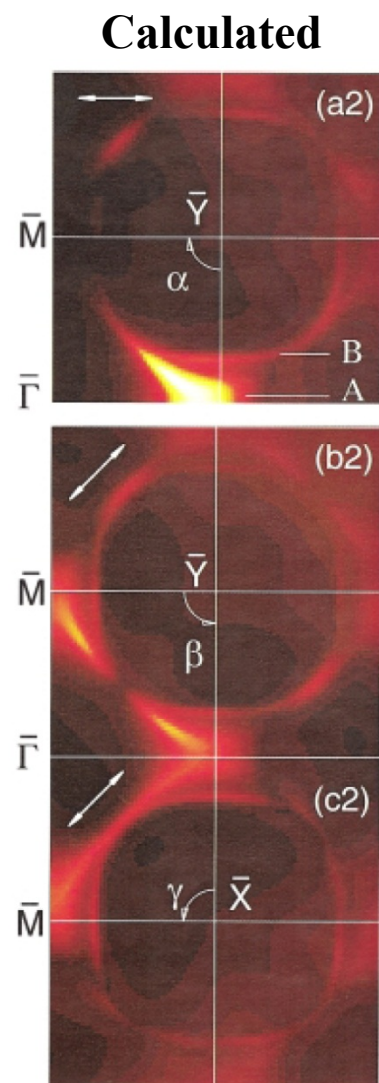
$\text{Bi}_2\text{Sr}_2\text{CaCu}_2\text{O}_{8+\delta}$
Bi2212
 $T_c=90\text{K}$



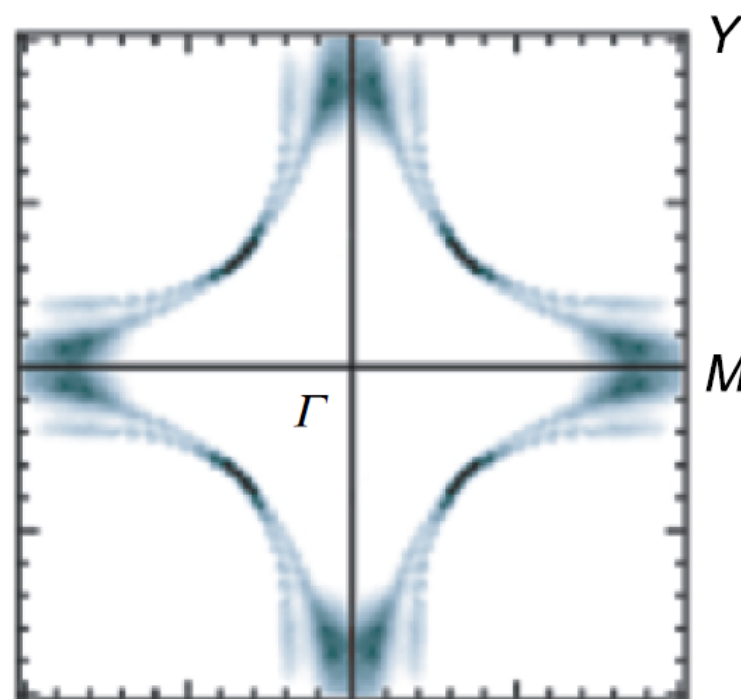
FS with
bilayer splitting



Calculations of Matrix Element Effect



Measured



P. V. Bogdanov et al. Phys. Rev. B 64, 180505 (2001)

D. L. Feng et al., PRL 86 (2001) 5550.

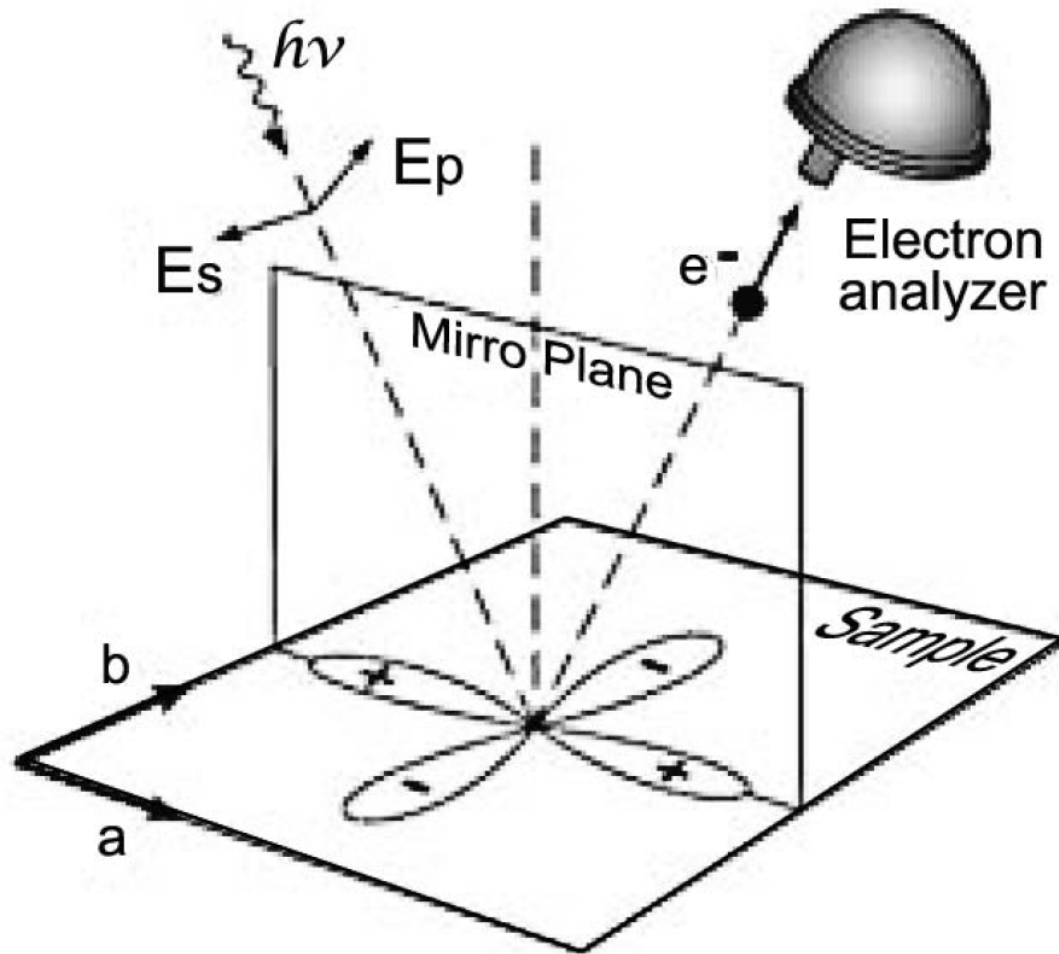
Y. D. Chuang et al., PRL 87 (2001) 117002.

Challenge:

How to calculate Matrix Element Effect
in correlated systems?

A. Bansil et al.,
Phys. Rev. Lett. 83(1999) 5154.

Light Polarization on Matrix Element Effect



**To disentangle
different
orbitals**

$$M_{ij}(E_f, K) \propto \langle \phi_{f,K} | A \cdot P | \phi_{i,K} \rangle^2$$

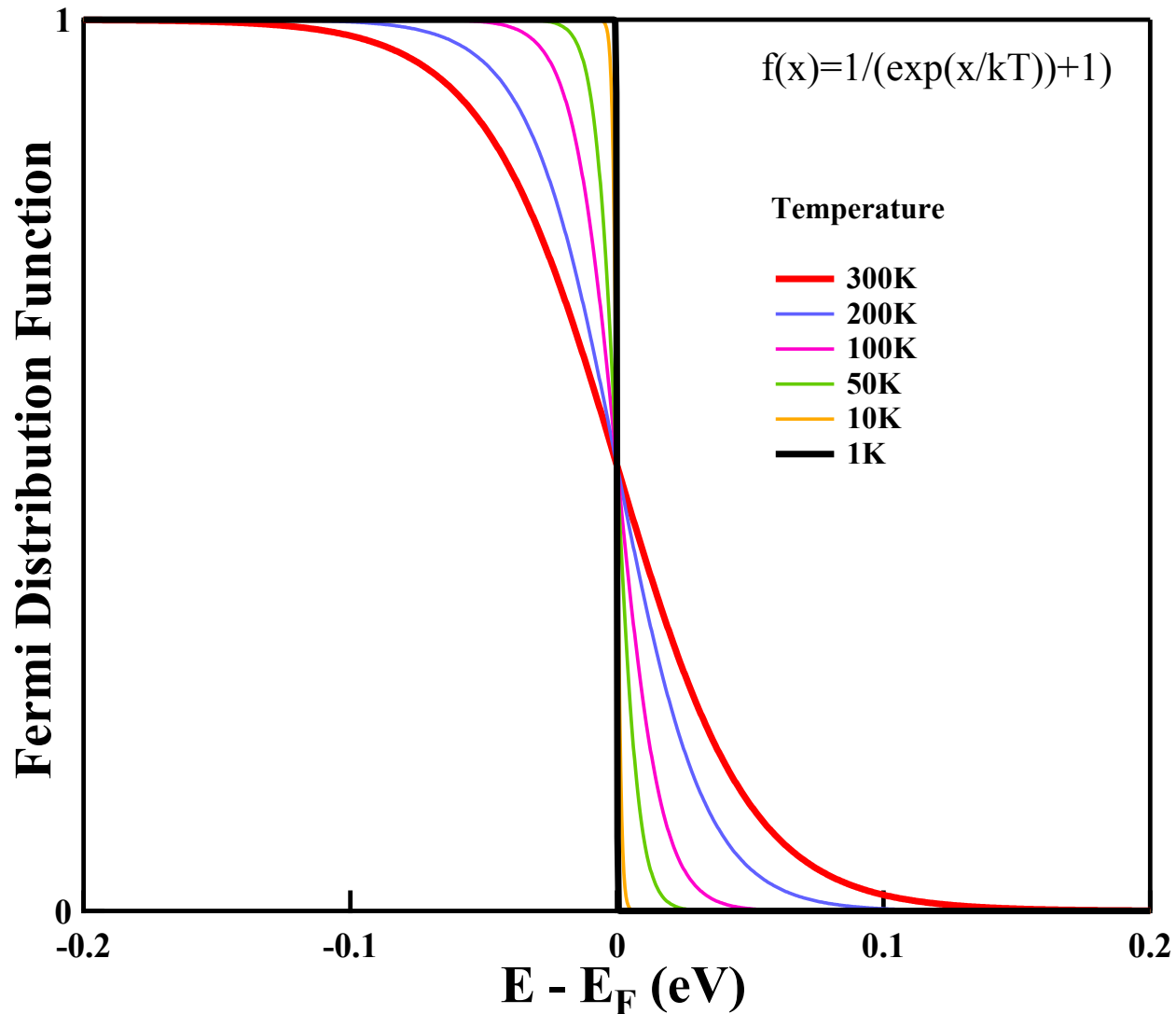


Related Issues in Photoemission

Photoemission Measured (Basically) Occupied States

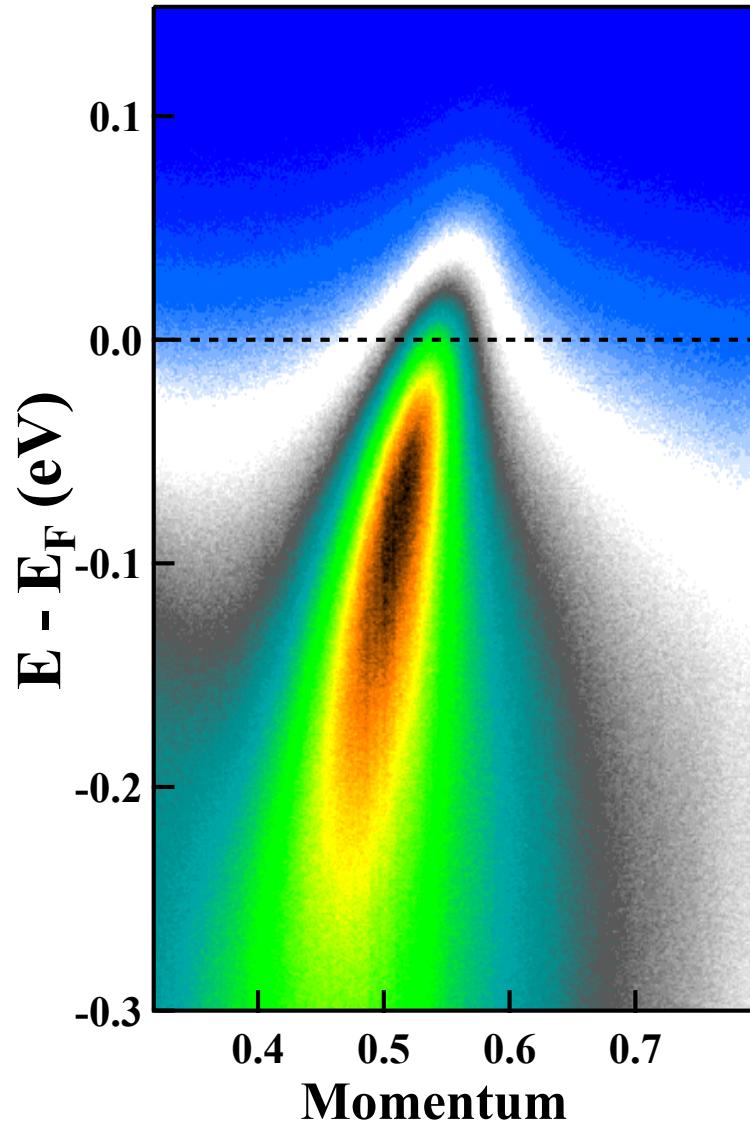
Fermi-Dirac Distribution Function at Different Temperatures

$$I = A(k, \omega) \times |M(k, \hbar\nu)|^2 \times F(\omega)$$

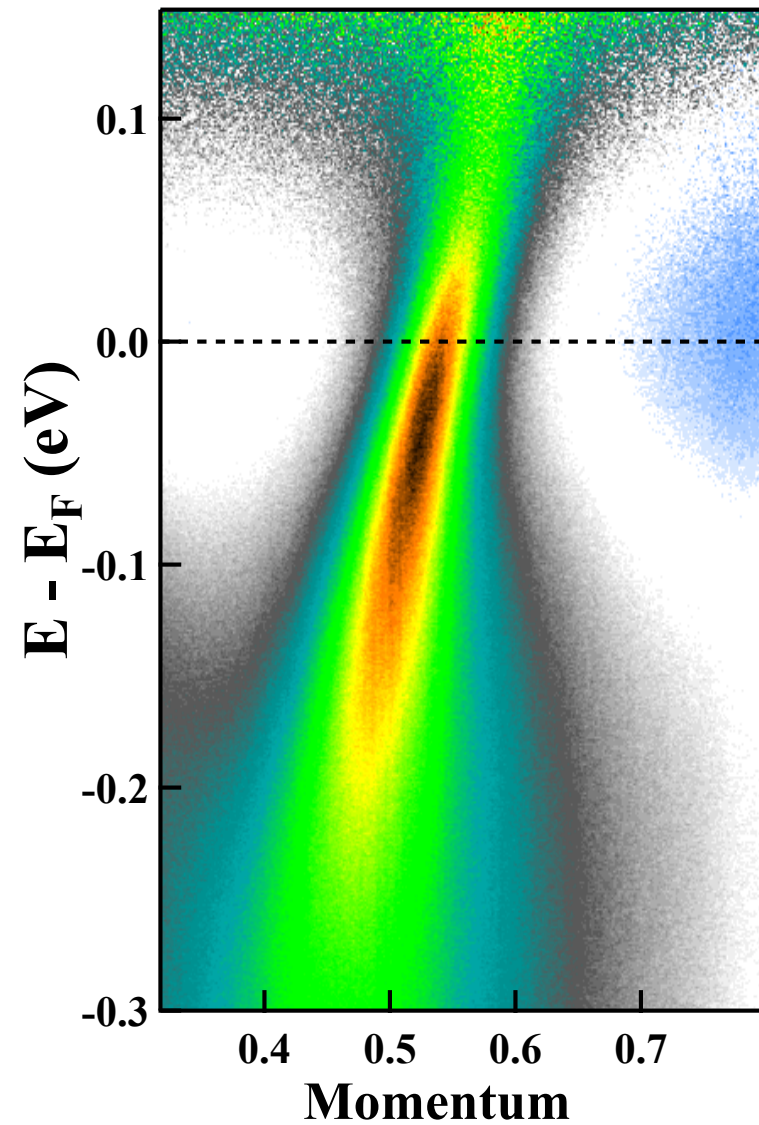


ARPES Measurement of Electronic States above Fermi Level

300 K, Original



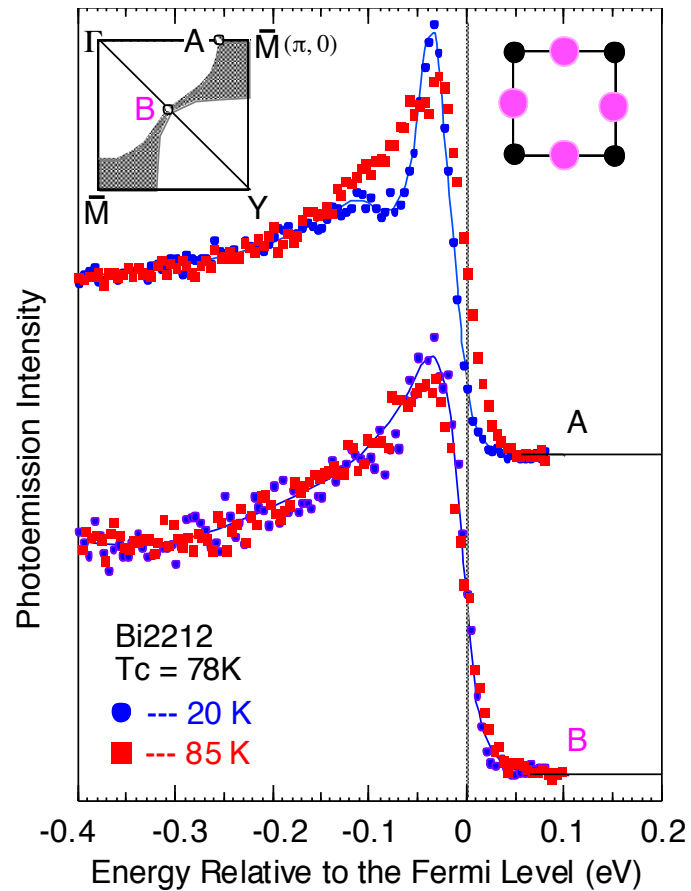
Divided by Fermi Function



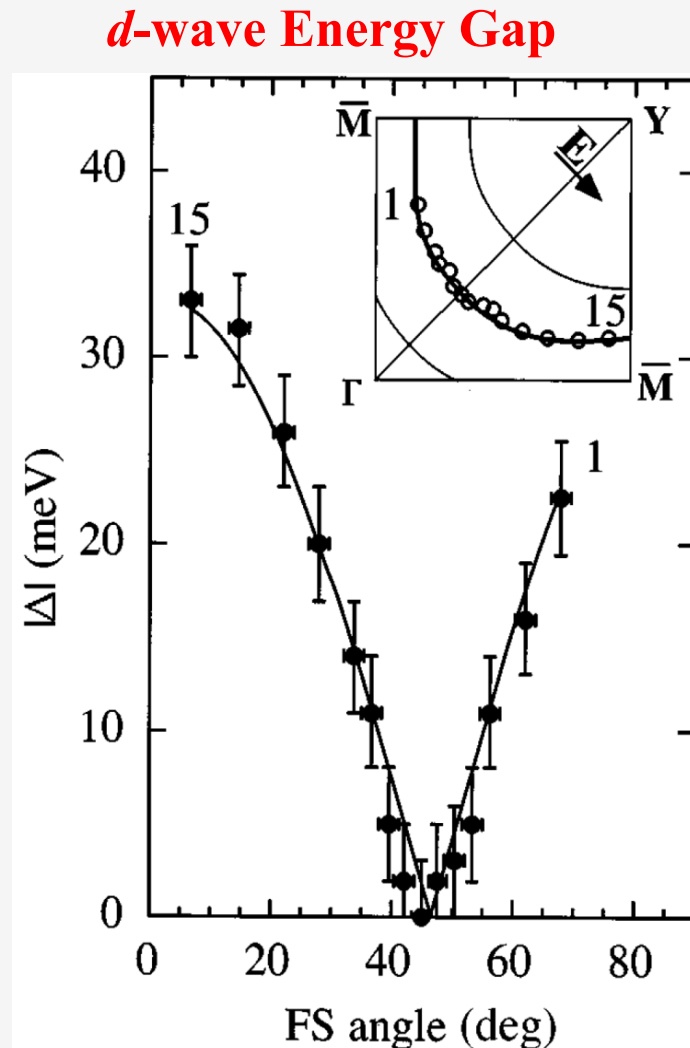


Data Analysis in ARPES – Energy Gap

ARPES on Superconducting Gap of Cuprates

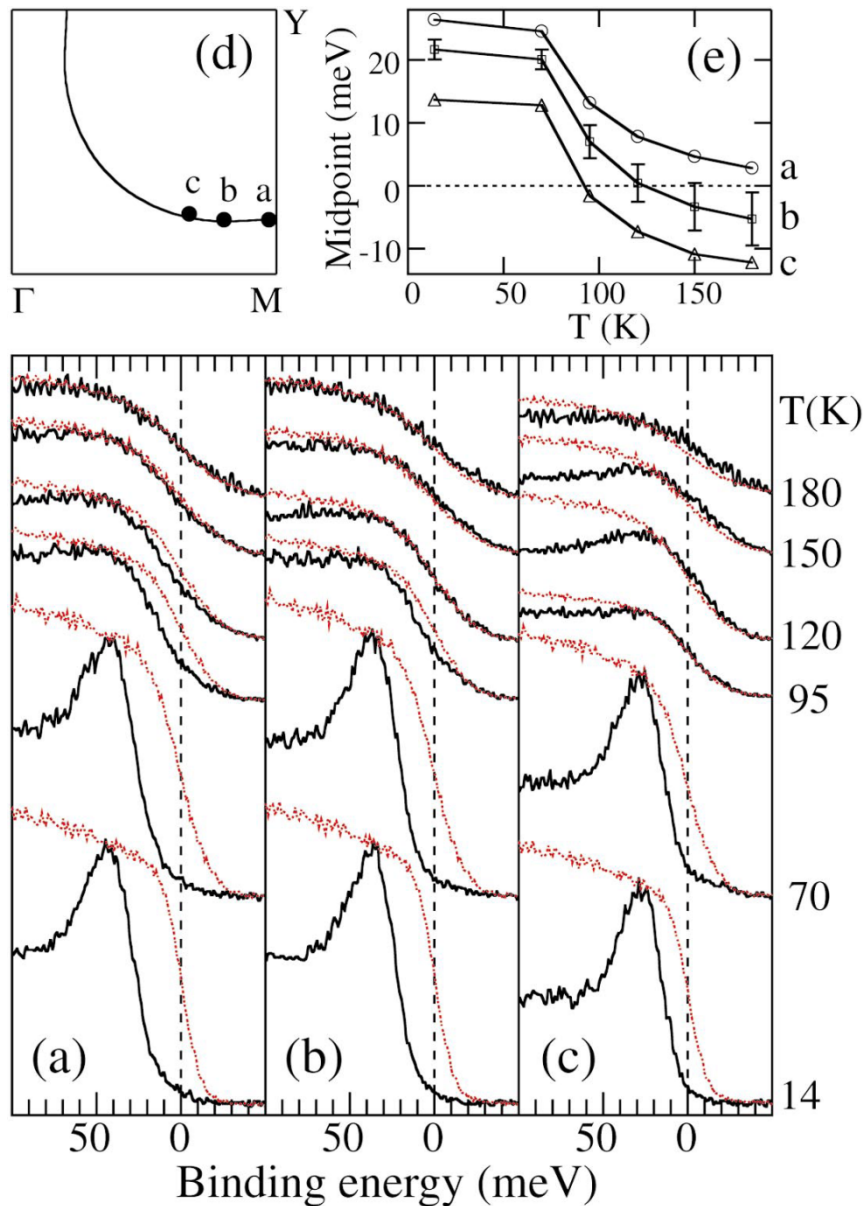


Z.-X. Shen *et al.*,
Phys. Rev. Lett. 70(1993)1553.



H. Ding *et al.*, Phys. Rev. B 54
(1996)9678.

ARPES Observation of Pseudogap



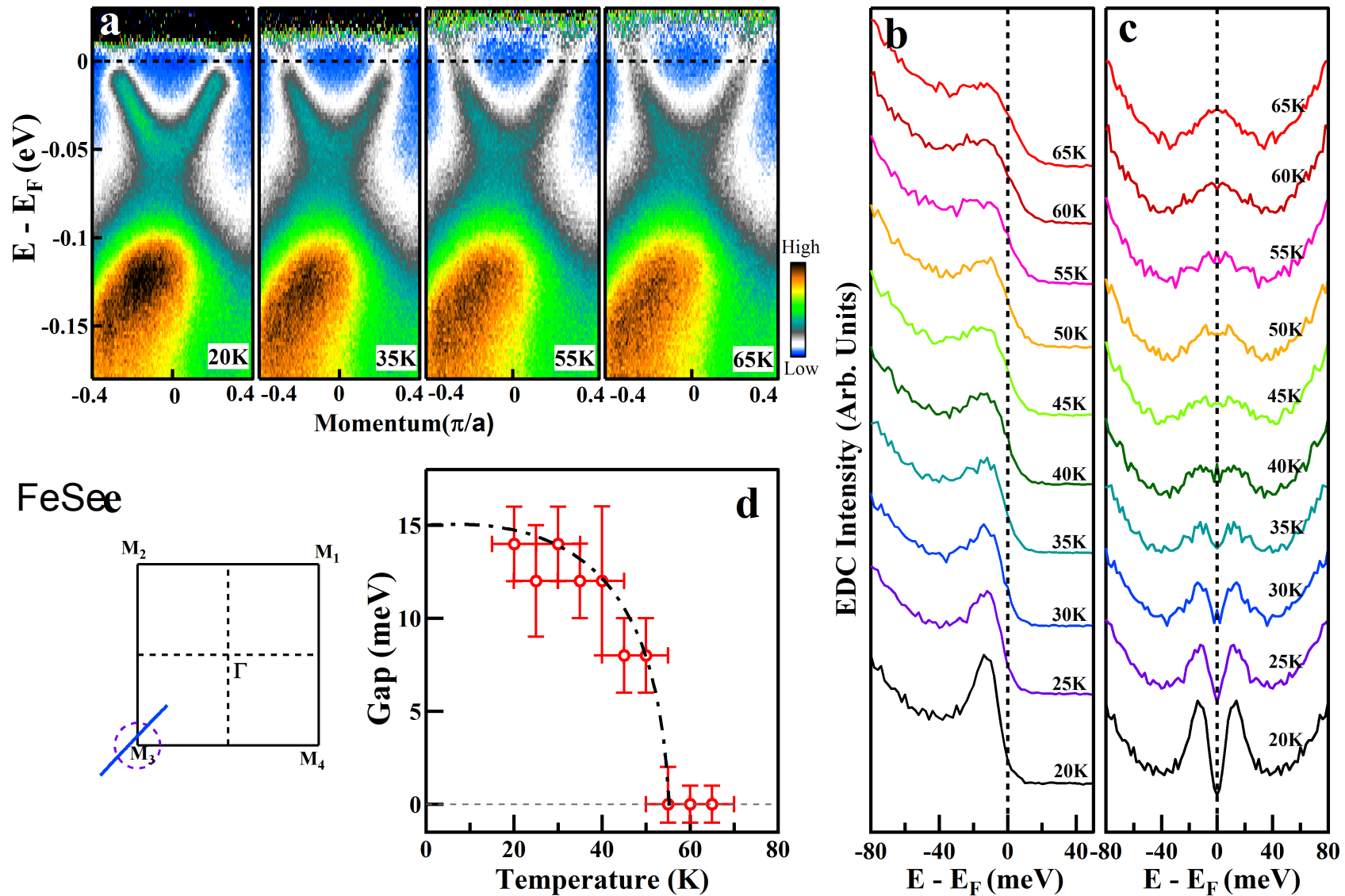
Bi2212
UD85K

D. S. Marshall et al.,
Phys. Rev. Lett. 76 (1996) 4841;

A. G. Loeser et al.,
Science 273 (1996) 325;

H. Ding et al.,
Nature (London) 382 (1996) 51.

Determination of Energy Gaps—EDC Symmetrization



D. F. Liu, X. J. Zhou et al., Nature Communications 3 (2012) 931.

How to Measure Energy Gap—EDC Symmetrization

$$I(k, \omega) = I_0(k, \nu, A) A(k, \omega) f(\omega) \quad f(\omega) = \frac{1}{\exp\left(\frac{\omega}{k_B T}\right) + 1}$$

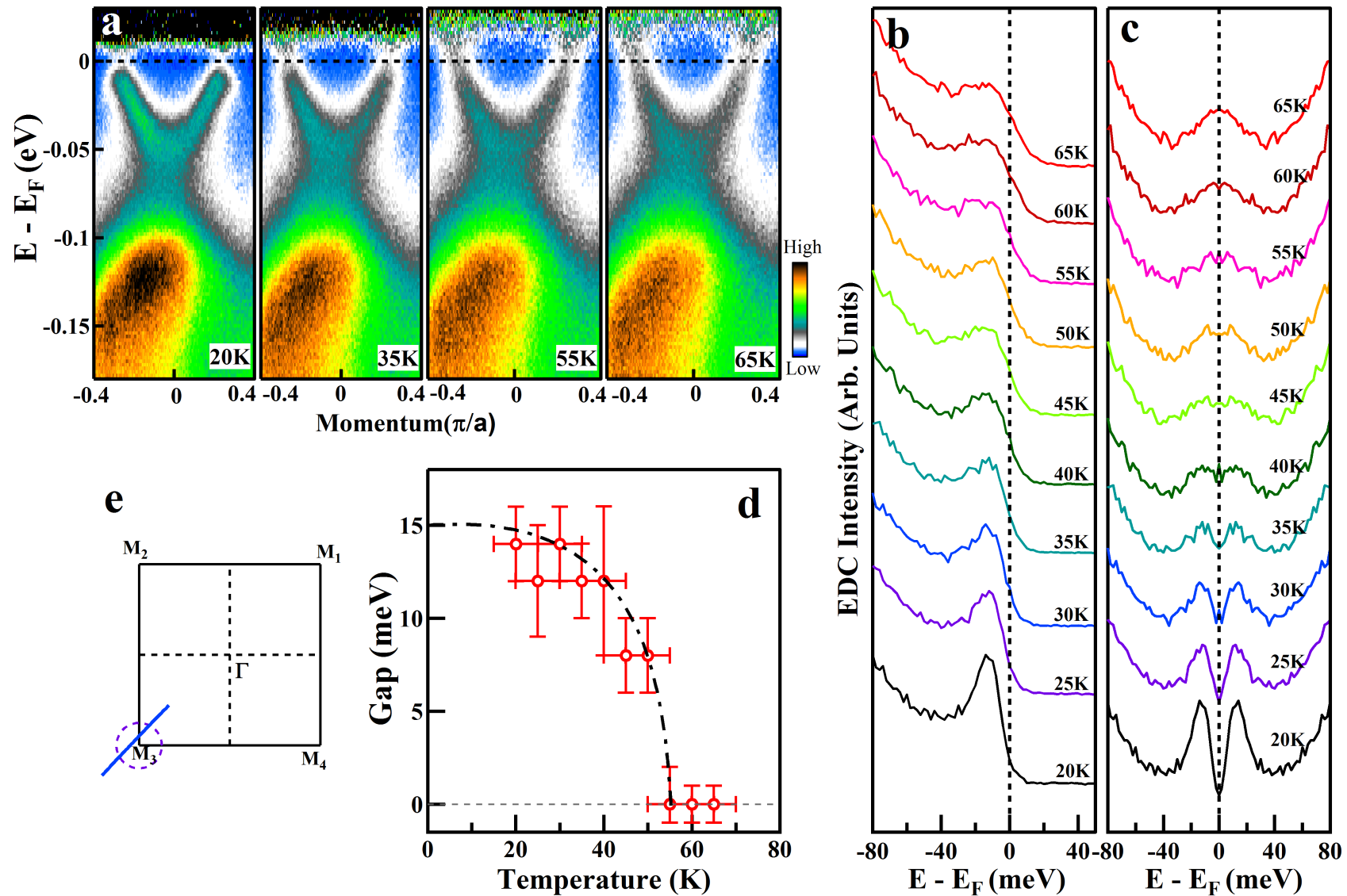
$$I(k, -\omega) = I_0(k, \nu, A) A(k, -\omega) f(-\omega) \quad f(-\omega) = \frac{1}{\exp\left(\frac{-\omega}{k_B T}\right) + 1}$$

If $A(k, \omega) = A(k, -\omega)$,

Then $I = I(k, \omega) + I(k, -\omega) = I_0(k, \nu, A) A(k, \omega)$

Fermi distribution function is conveniently removed!

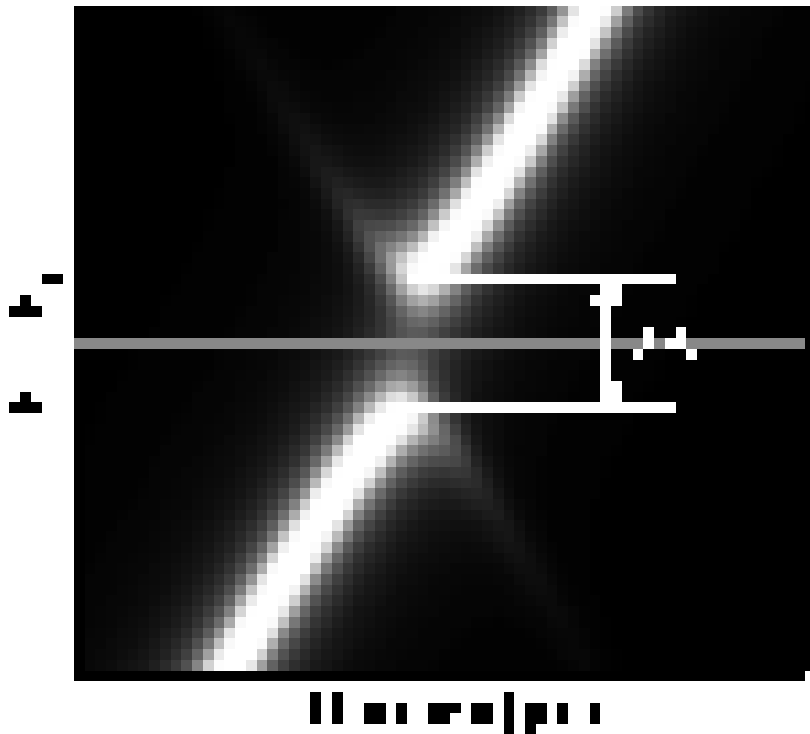
ARPES on Energy Gap--Single Layer FeSe



D. F. Liu, X. J. Zhou et al., Nature Communications 3 (2012) 931.

Superconducting Gap

1. Gap opens along the entire Fermi surface;
2. Gap opening has a particle-hole symmetry.



For superconducting gap,
in fact,
only one point at $\mathbf{k}_F$ satisfies
 $A(\mathbf{k}, \omega) = A(\mathbf{k}, -\omega)$

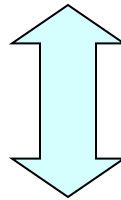
**ARPES as a powerful tool
for many-body effects**

Power of ARPES – A Probe for Many-Body Effects

Under the sudden approximation, photoemission measures
single-particle spectral function

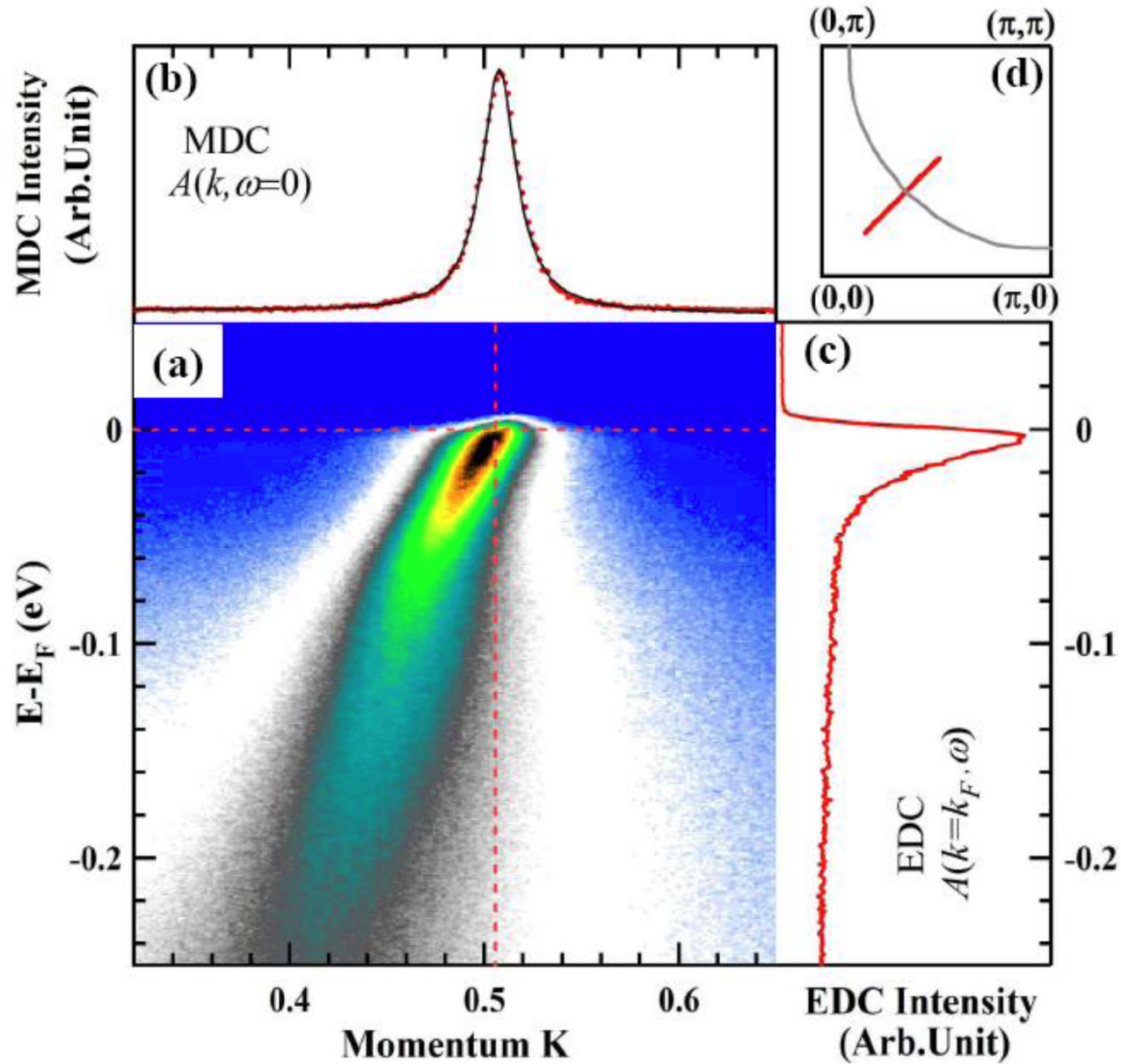
$$A(k, \omega) = \frac{1}{\pi} \frac{\text{Im} \Sigma}{[\hbar\omega - E_k^0 - \text{Re} \Sigma]^2 + [\text{Im} \Sigma]^2}$$

Electron self-energy: $\Sigma = \text{Re} \Sigma + i \text{Im} \Sigma$

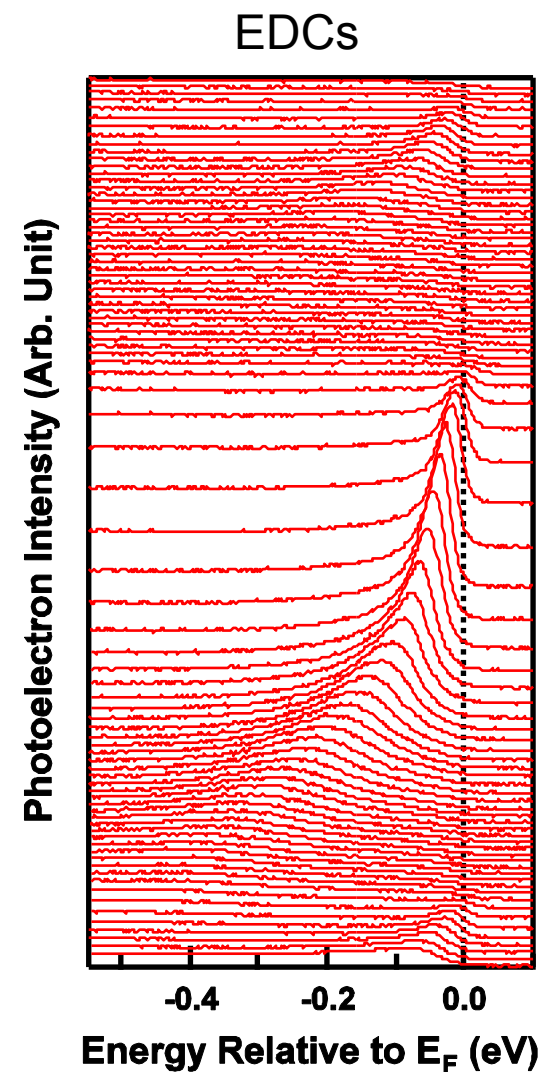
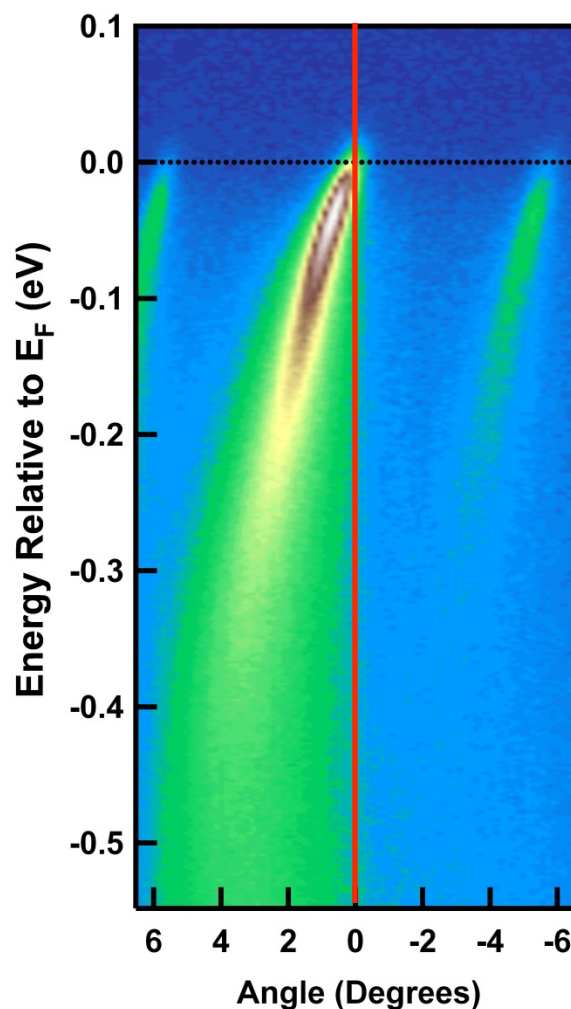
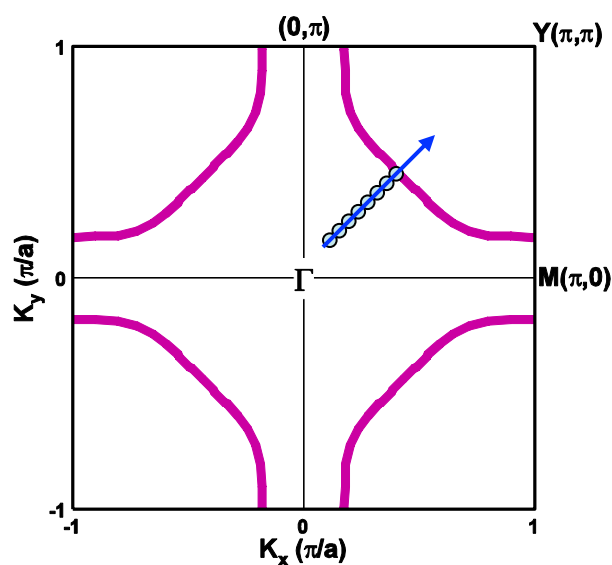


Many-Body Effects: Interaction of electrons with other entities such as other electrons, phonons, magnons and etc.

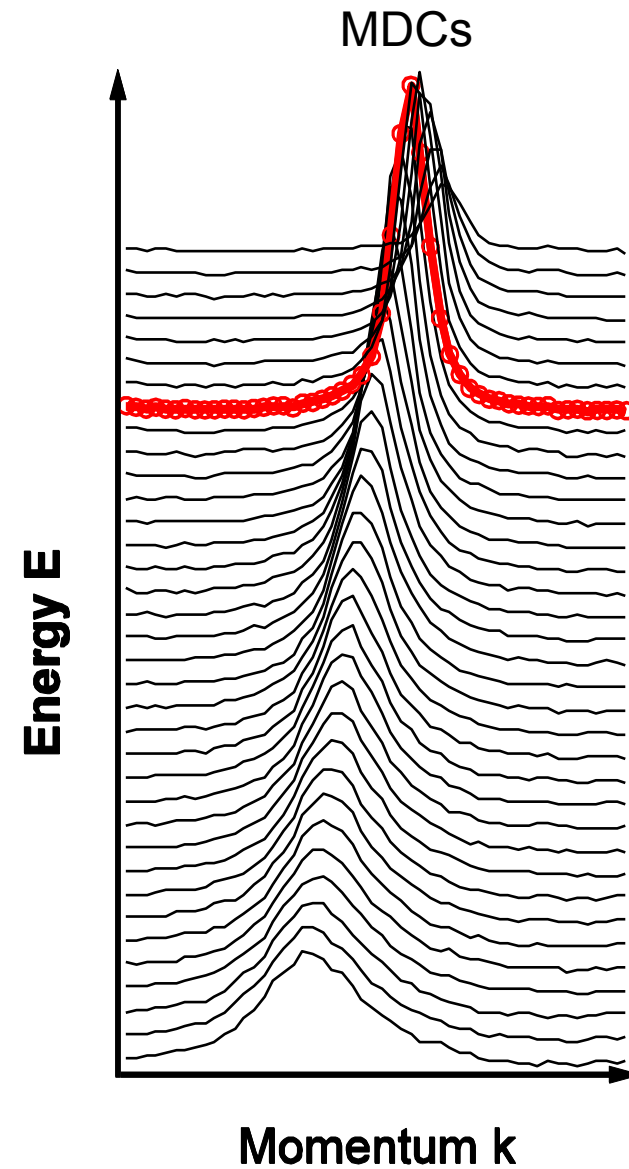
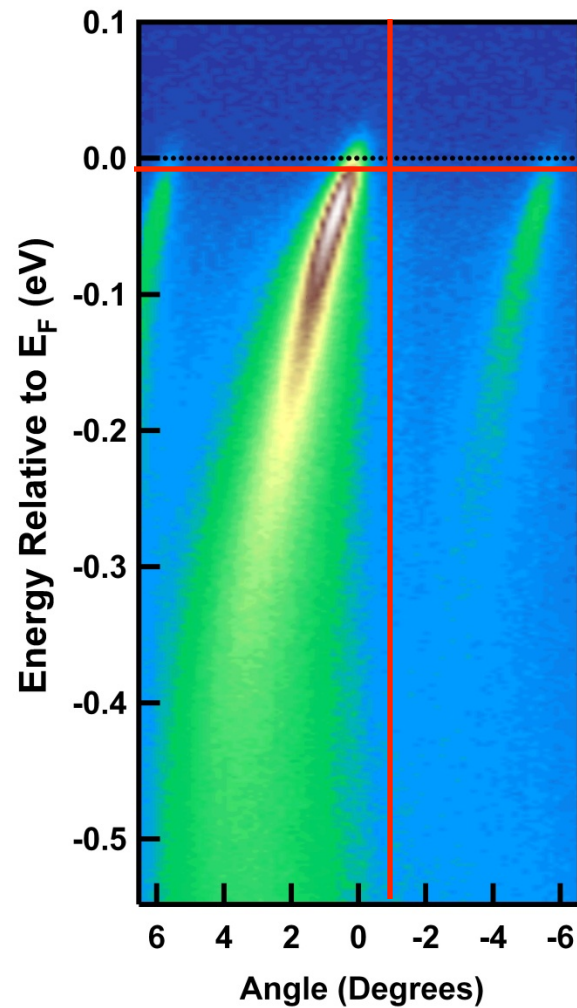
Energy Distribution Curve(EDC) vs Momentum Distribution Curve (MDC)



EDC Dispersion— It Is **Difficult** to Fit EDCs



MDC Dispersion: It Is **Easy** to Fit MDCs



Extract Electron Self-Energy from Dispersion and MDC Width

Spectral Function:
$$A(k, \omega) = \frac{1}{\pi} \frac{\text{Im}\Sigma}{(\omega - v_0 k - \text{Re}\Sigma)^2 + (\text{Im}\Sigma)^2} \quad (1)$$
$$= \frac{1}{\pi} \frac{\text{Im}\Sigma / v_0^2}{(k - (\omega - \text{Re}\Sigma) / v_0)^2 + (\text{Im}\Sigma / v_0)^2}$$

Lorentzian Lineshape:
$$L(x) = \frac{H (\Gamma / 2)^2}{(x - k_0)^2 + (\Gamma / 2)^2} \quad (2)$$

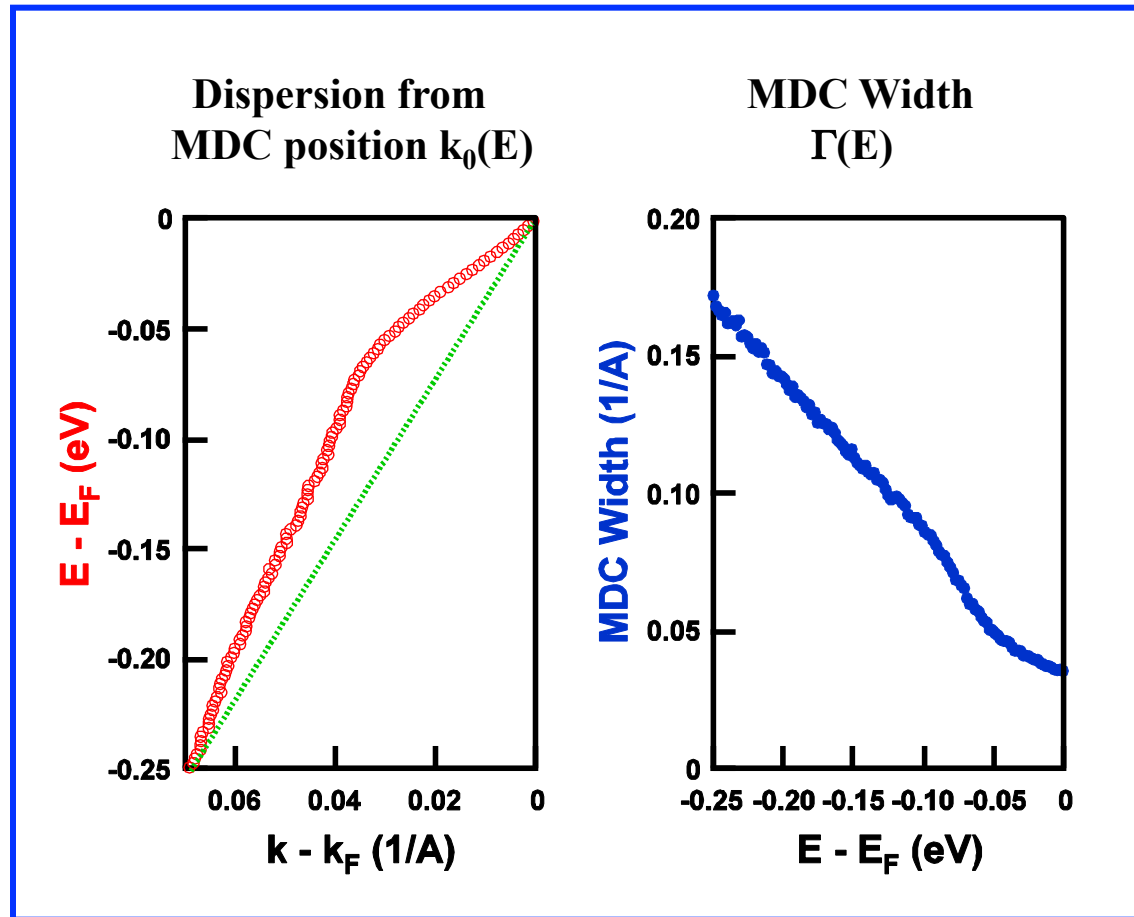
Compare Equ. (1) and (2):

$$k_0 = (E - \text{Re}\Sigma) / v_0$$
$$\Gamma / 2 = \text{Im}\Sigma / v_0$$

Therefore

$$\text{Re} = E - k_0 v_0$$
$$\text{Im} = (\Gamma / 2) * v_0$$

Dispersion and MDC Width -- Fitting MDCs



Lorentzian Fitting:

Peak position: $k_0(E)$

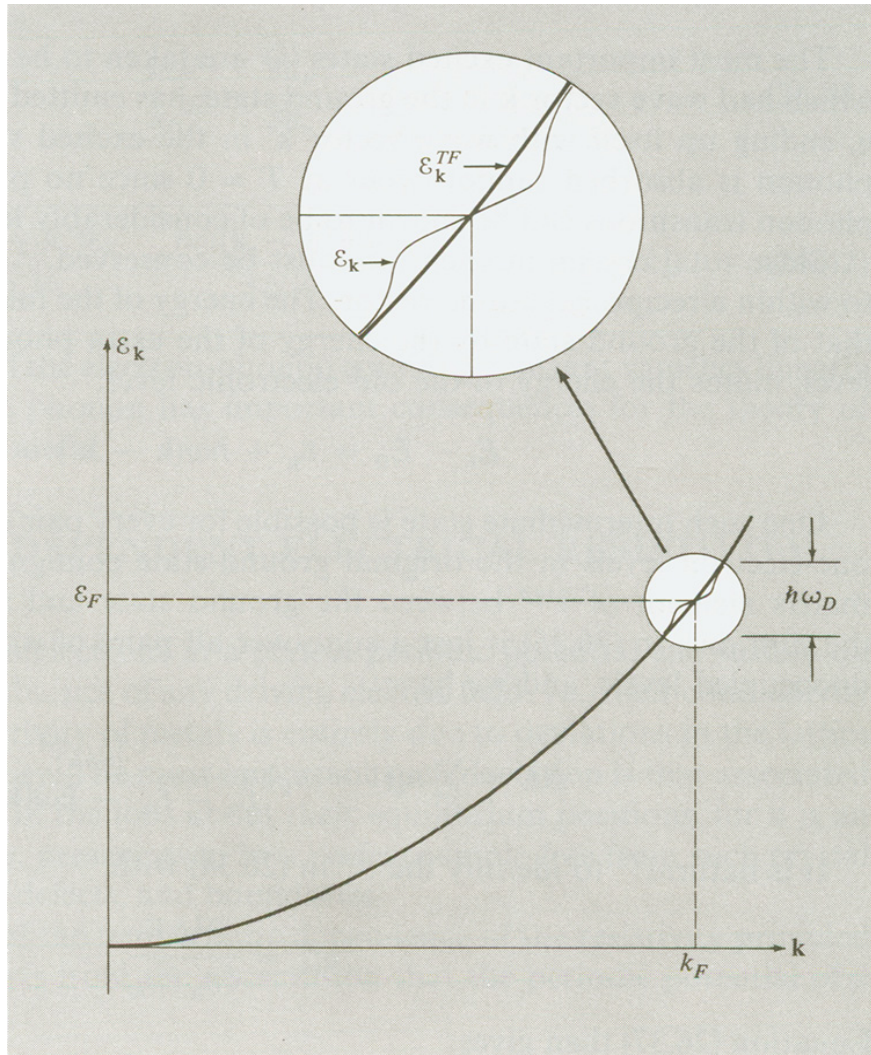
Peak width: $\Gamma(E)$



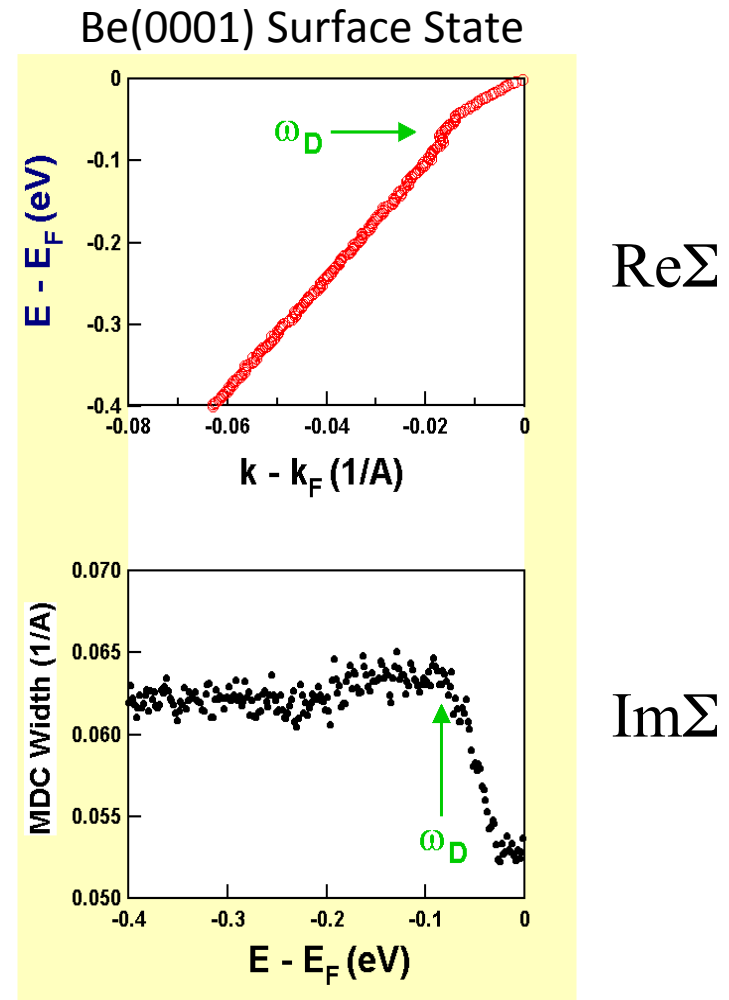
$$\text{Re}\Sigma = E - k_0 v_0$$

$$\text{Im}\Sigma = (\Gamma / 2) * v_0$$

Manifestation of Many-Body Effects: Band Renormalization



Ashcroft-Mermin, Solid State Physics

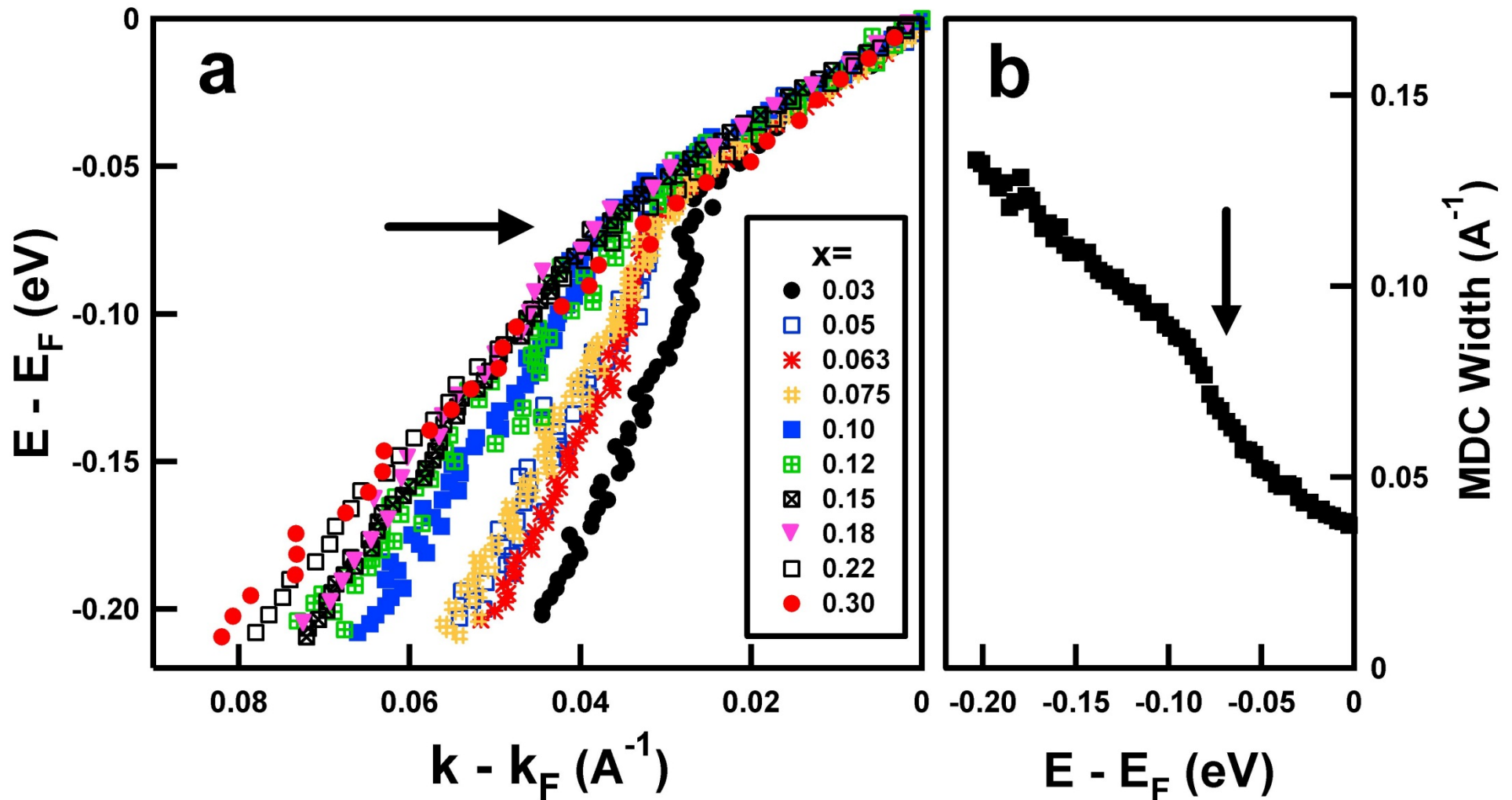


Hengsberger et al., PRL 83(1999)592.

S. Lashell et al., PRB 61(2000)2371.

S. J. Tang et al., Phys. Stat. Solidi. 241(2004)2345.

Many-Body Effects in High Temperature Superconductors



X. J. Zhou, Z. X Shen *et al.*, *Nature* 423, 398 (2003).



Latest Development –

Laser ARPES

Light Sources for Photoemission Spectroscopy

- Synchrotron Radiation

- Gas Discharge Lamp

He I, $h\nu=21.2$ eV

He II, $h\nu=40.8$ eV

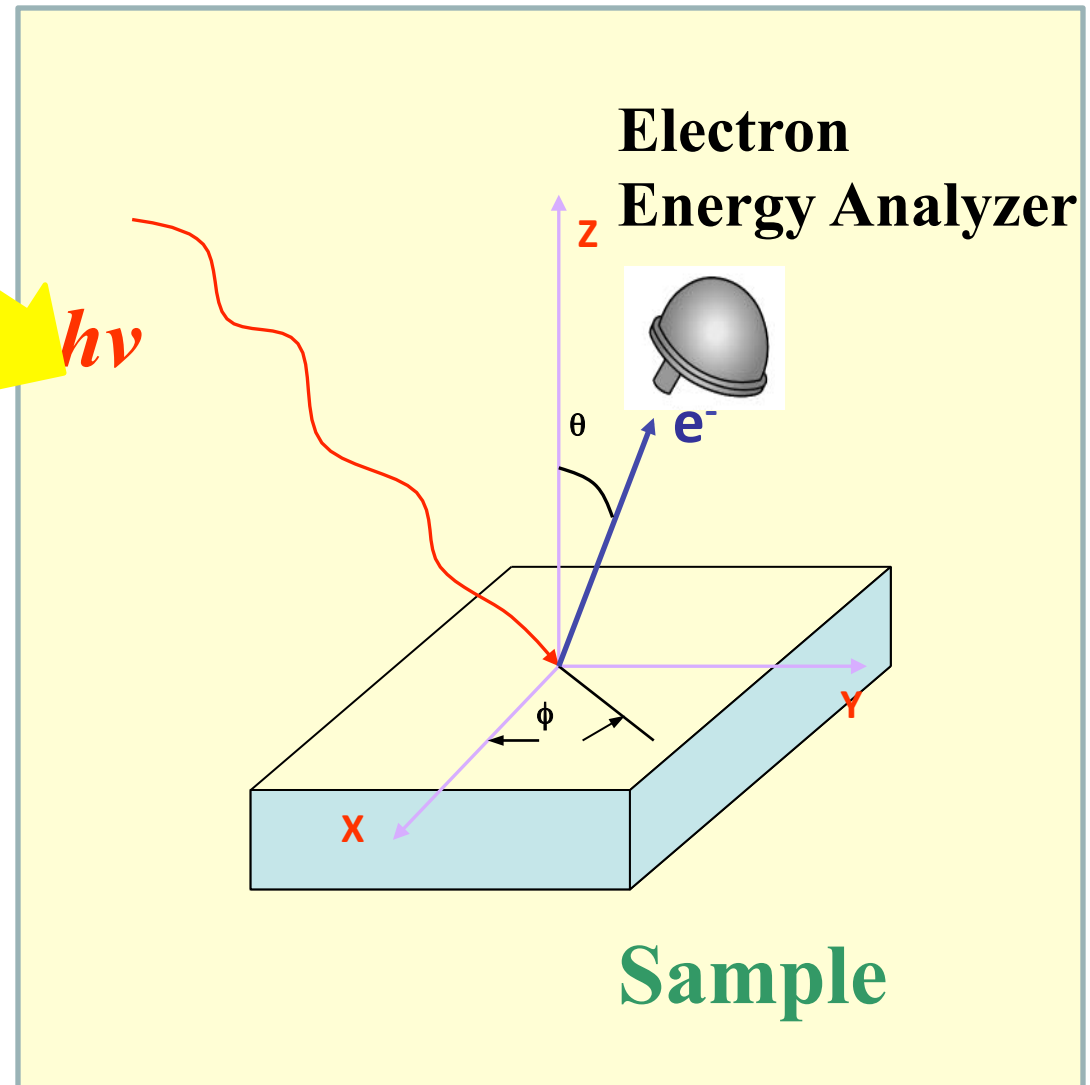
- VUV Laser

$h\nu=6.994$ eV

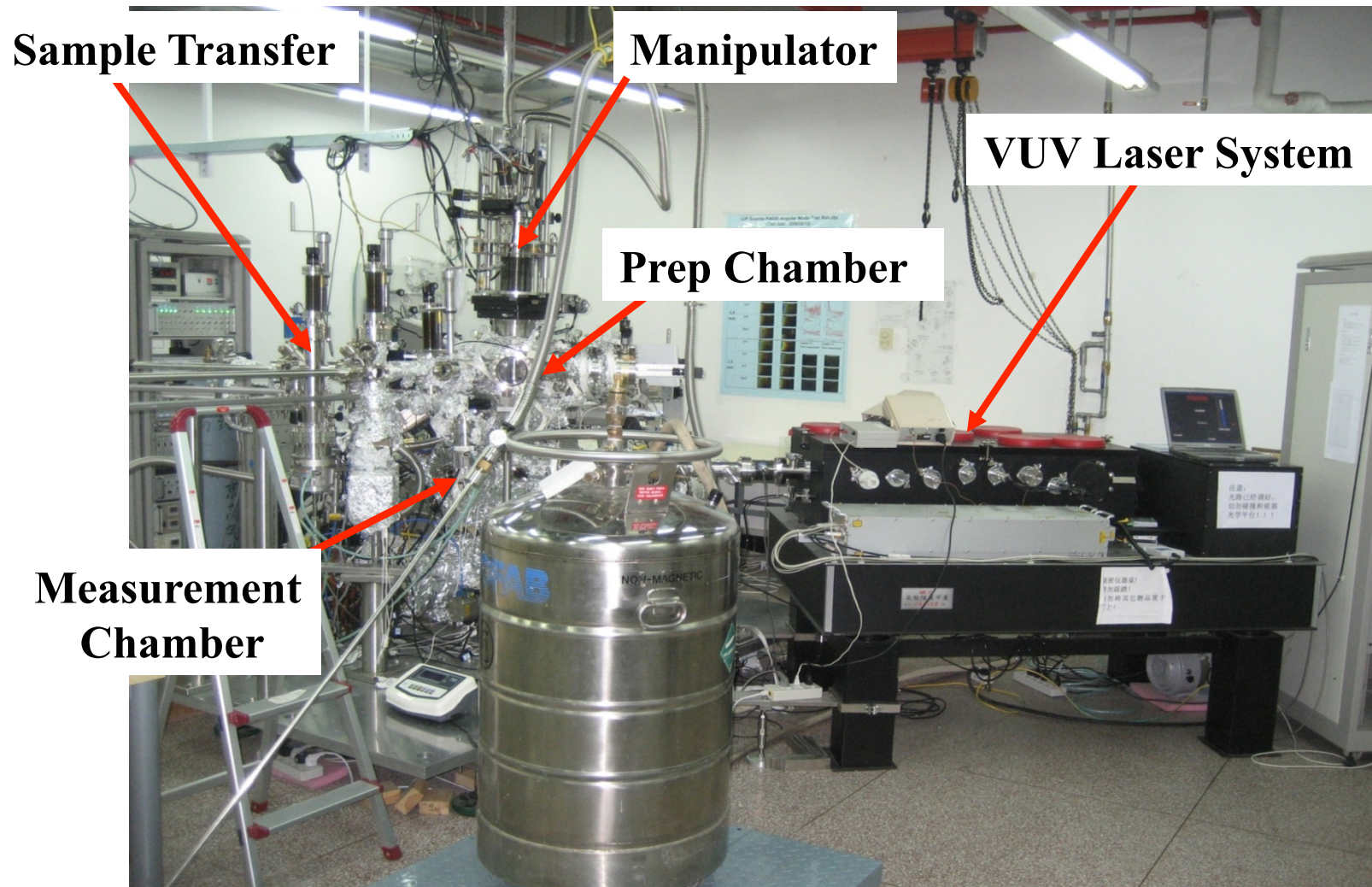
VUV---

Vacuum Ultra-Violet

$h\nu>6.5$ eV

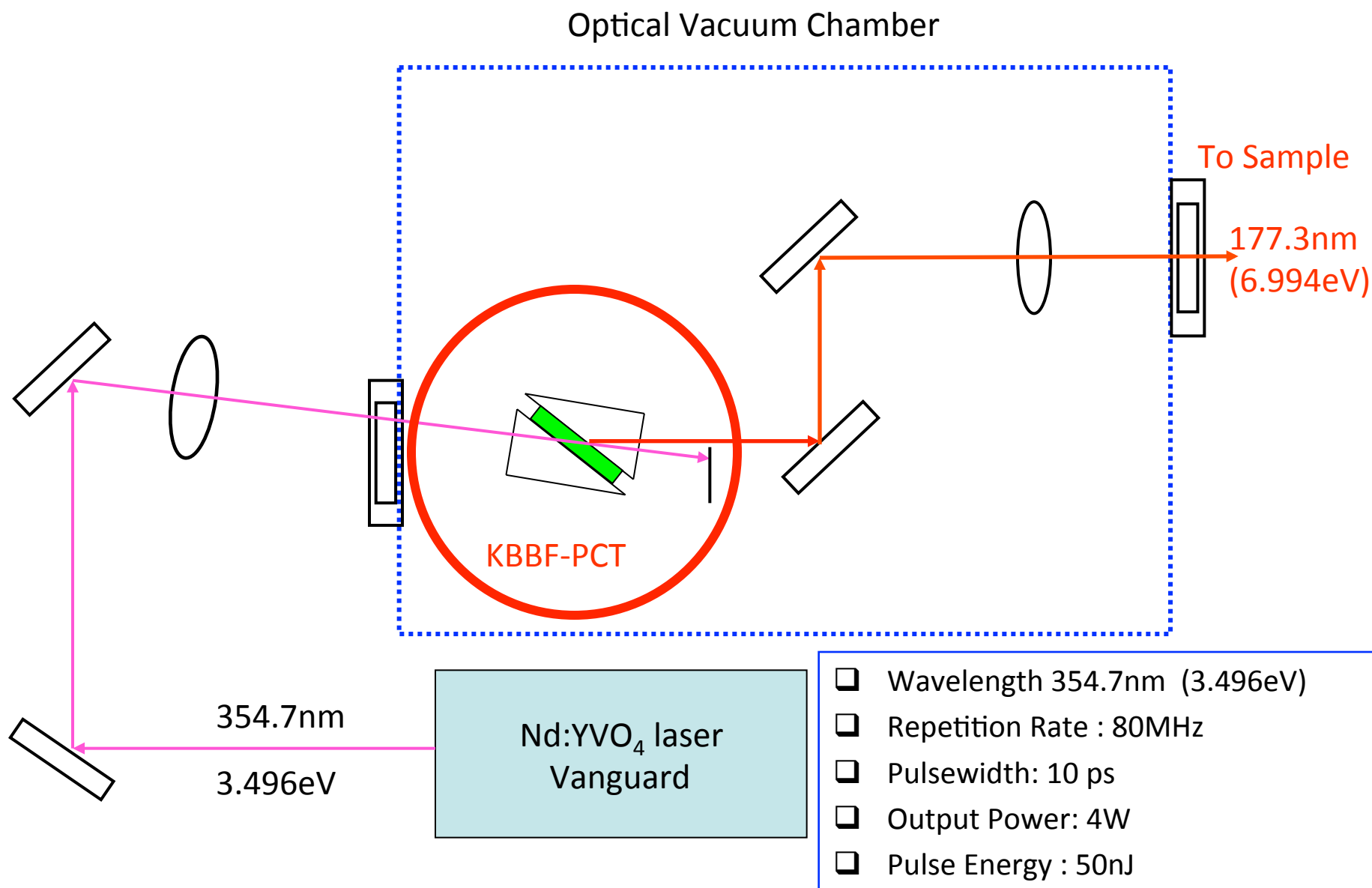


VUV Laser ARPES System at IOP

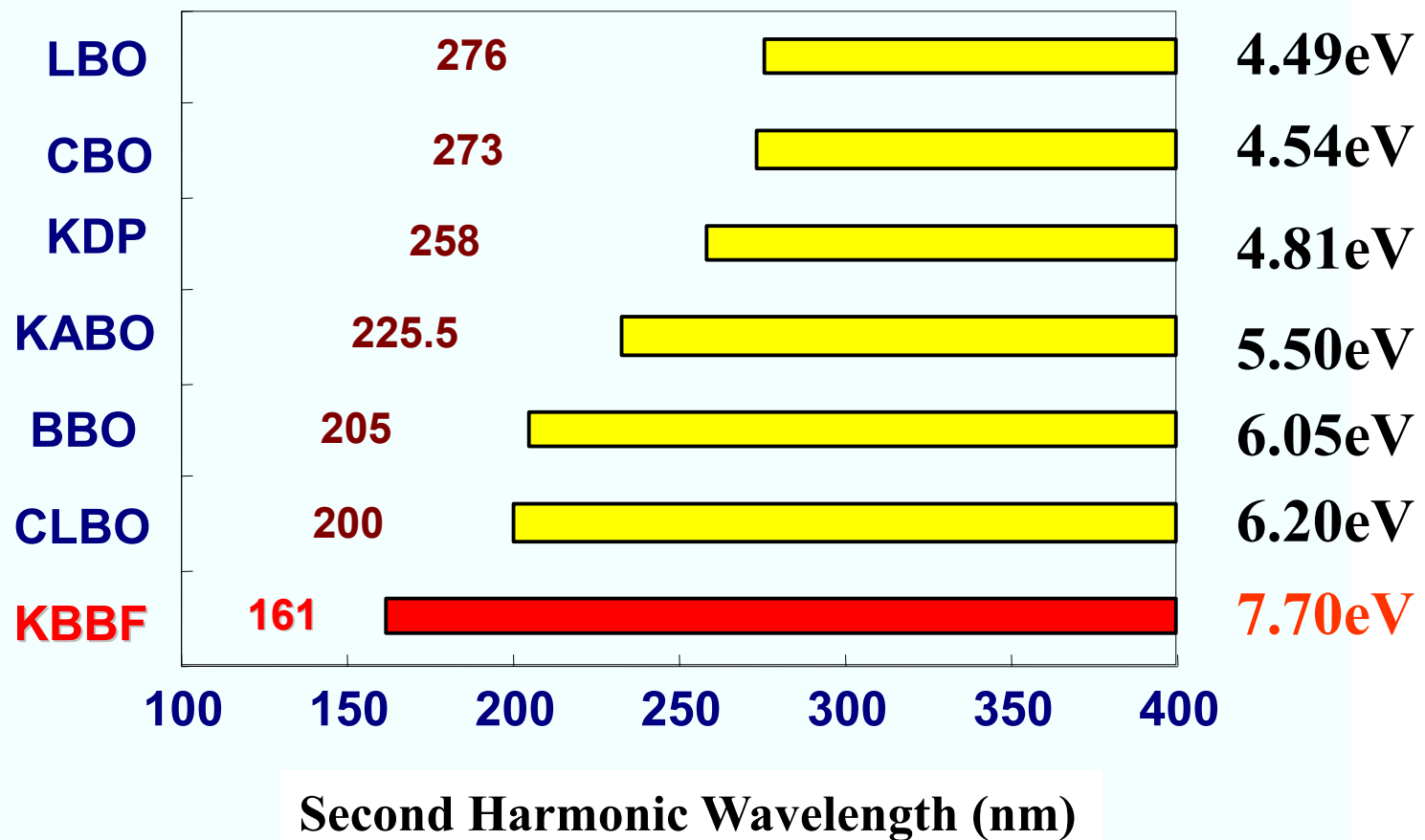


(Started development in early 2004, commissioned by the end of 2006)
Guodong Liu, X. J. Zhou *et al.*, Rev. Sci. Instrum. 79 (2008) 023105.

Generation of VUV Laser ($h\nu=6.994$ eV)

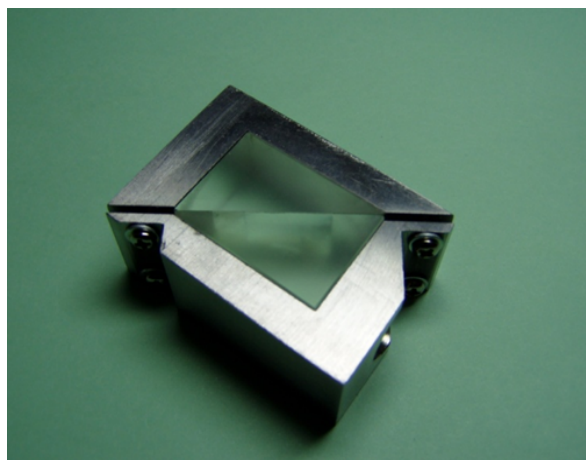
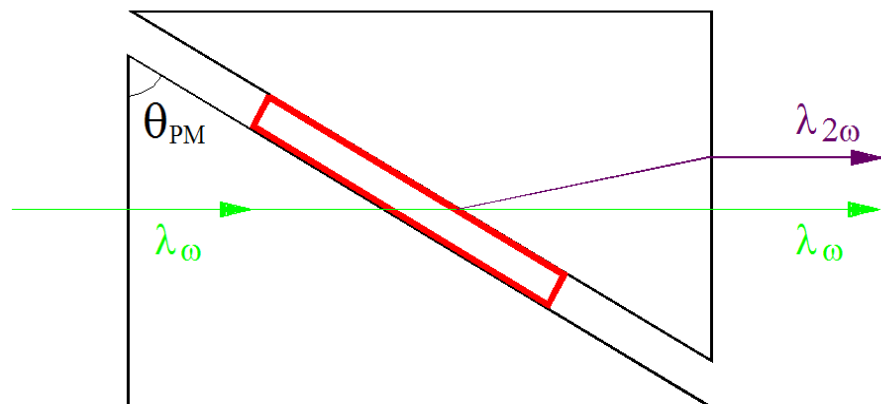


$\text{KBe}_2\text{BO}_3\text{F}_2$ (KBBF): New Non-Linear Optical Crystal



C. T. Chen, Z. Y. Xu et al., Chin. Phys. Lett. 18(8), 1081 (2001).
J. Appl. Phys., Vol. 74, No. 11, 1 December 1993;
J. Appl. Phys. 77 (6), 15 March 1995
Appl. Phys. Lett. 68 (21), 20 May 1996

$\text{KBe}_2\text{BO}_3\text{F}_2$ (KBBF): New Non-Linear Optical Crystal



C. T. Chen, Z. Y. Xu et al.,
Chin. Phys. Lett. 18(8), 1081 (2001).



Nature Report, February, 2009

Advantages and Disadvantages of VUV Laser ARPES

Light Source	VUV Laser	Synchrotron
Energy Resolution (meV)	0.26	5~15
Momentum Resolution ($\text{\AA}^{-1}$)	0.0036 (6.994eV)	0.0091 (21.1eV)
Photon Flux(Photons/s)	$10^{14}\sim 10^{15}$	$10^{12}\sim 10^{13}$
Electron Escape Depth ($\text{\AA}$)	30~100	5~10
Photon Energy Tunability	Limited	Tunable
k-Space Coverage	Small	Large

Laser and Synchrotron are complementary.

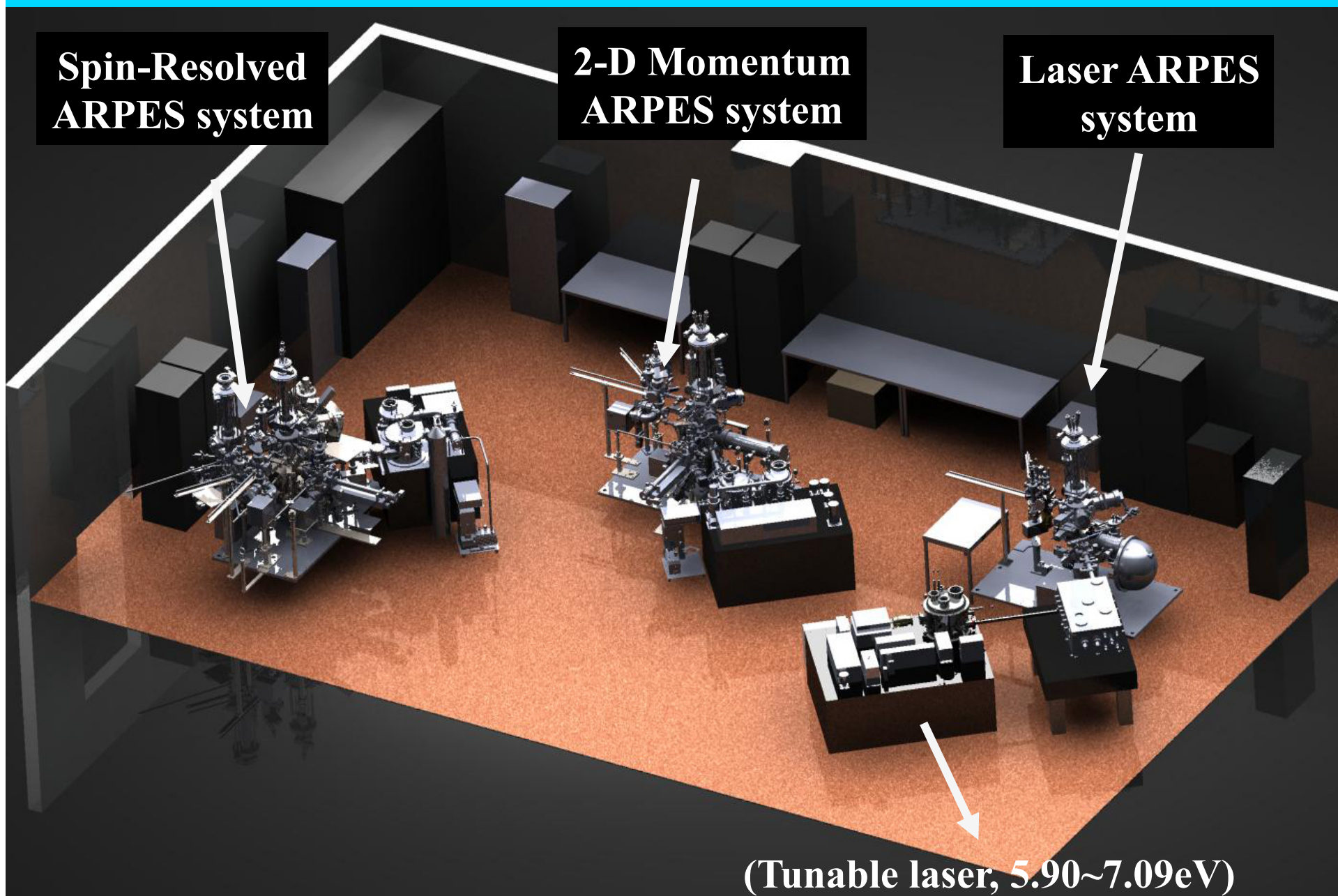
VUV Laser Photoemission Lab at IOP

Spin-Resolved
ARPES system

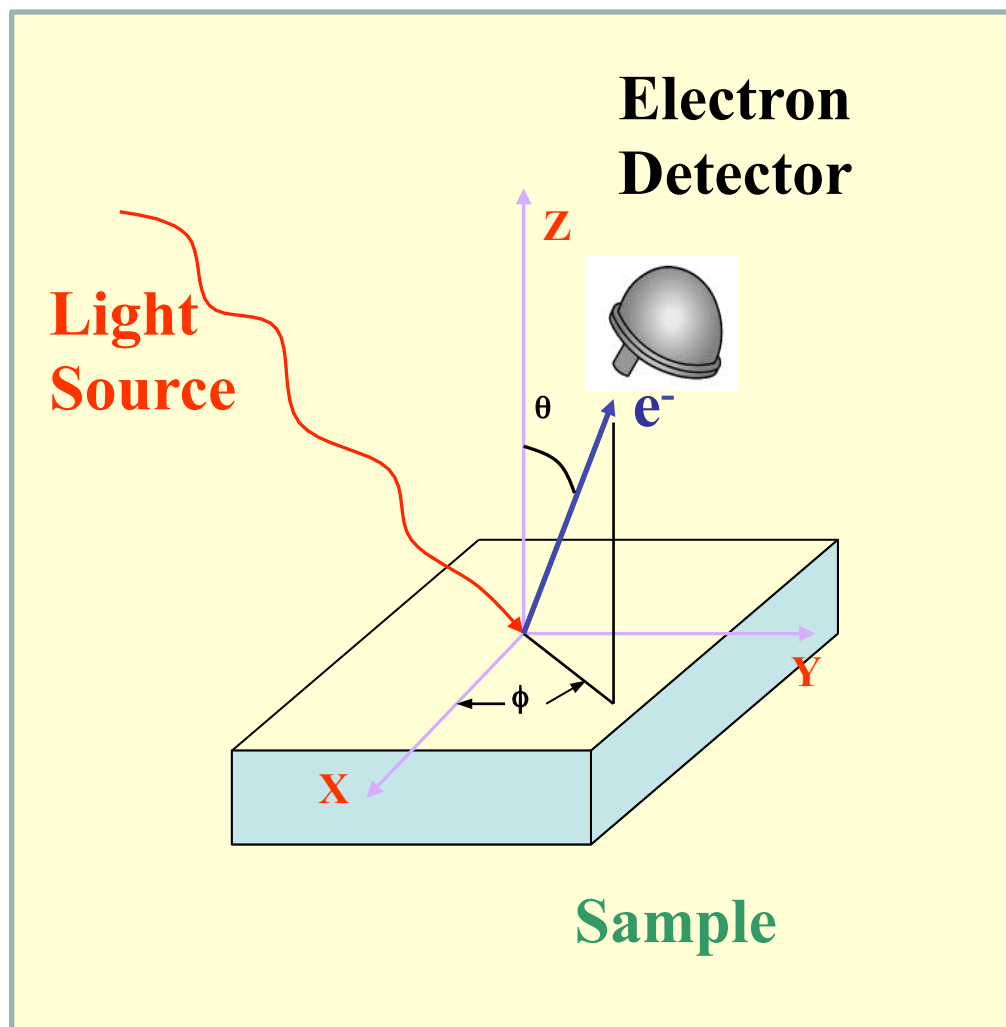
2-D Momentum
ARPES system

Laser ARPES
system

(Tunable laser, 5.90~7.09eV)



Angle-Resolved Photoemission Spectroscopy (ARPES)



Photoemitted electrons in Vacuum
along different angles

$$E_{\text{kin}}, K_{\parallel}$$

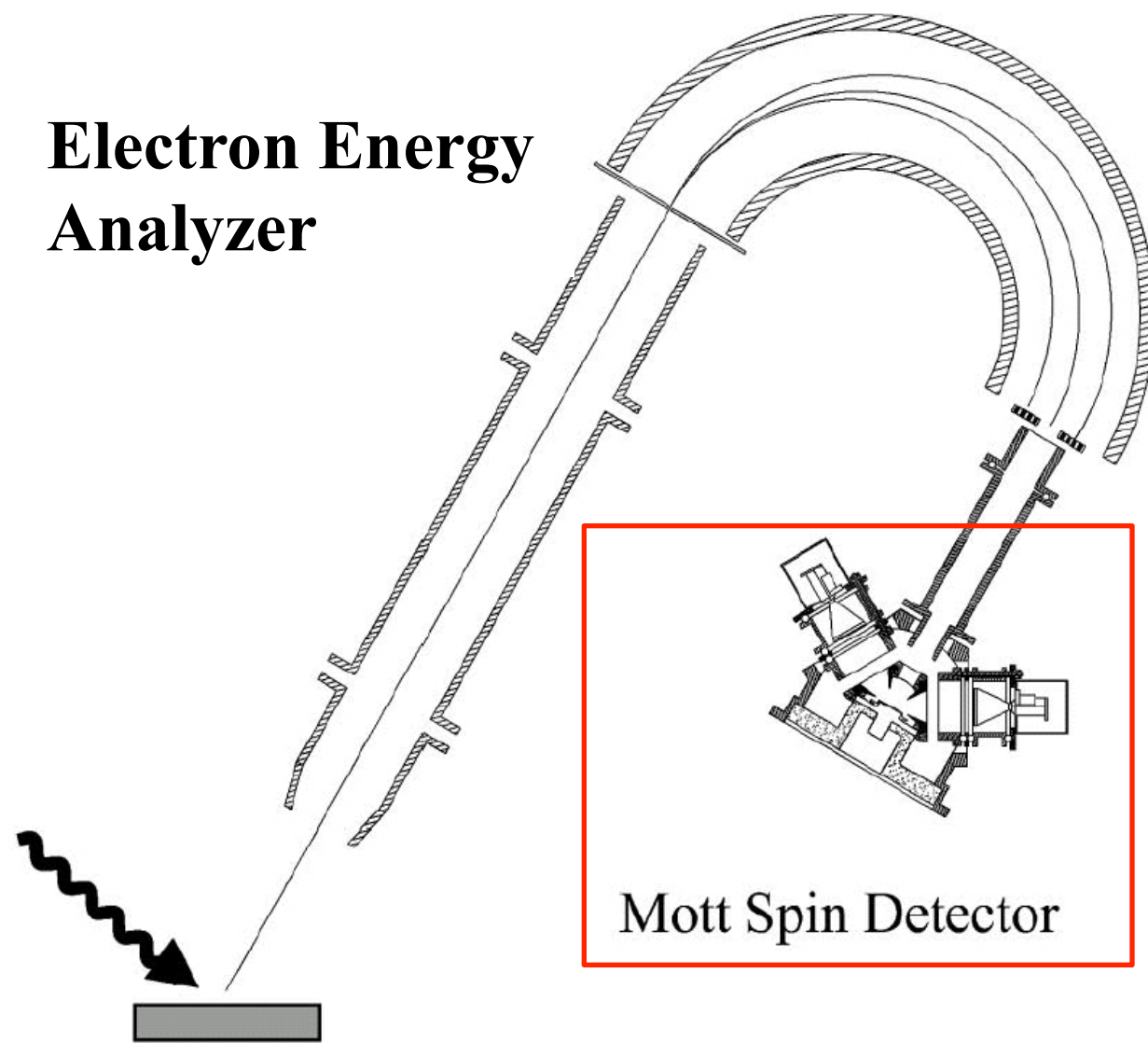
Energy Conservation: $E_B = h\nu - E_{\text{kin}} - \Phi$
Momentum Conservation: $K_{\parallel} = k_{\parallel} + G_{\parallel}$

Electronic States in Solid:

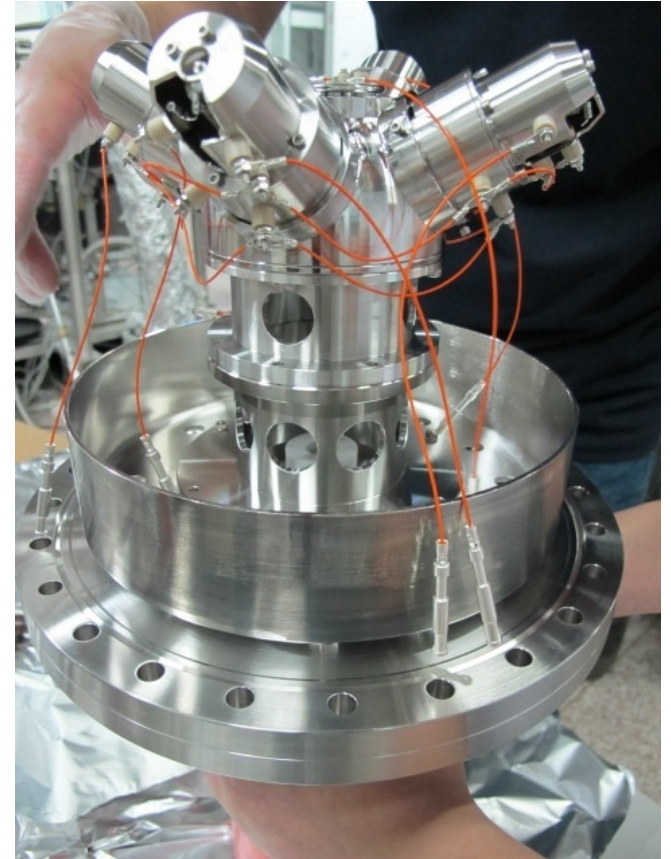
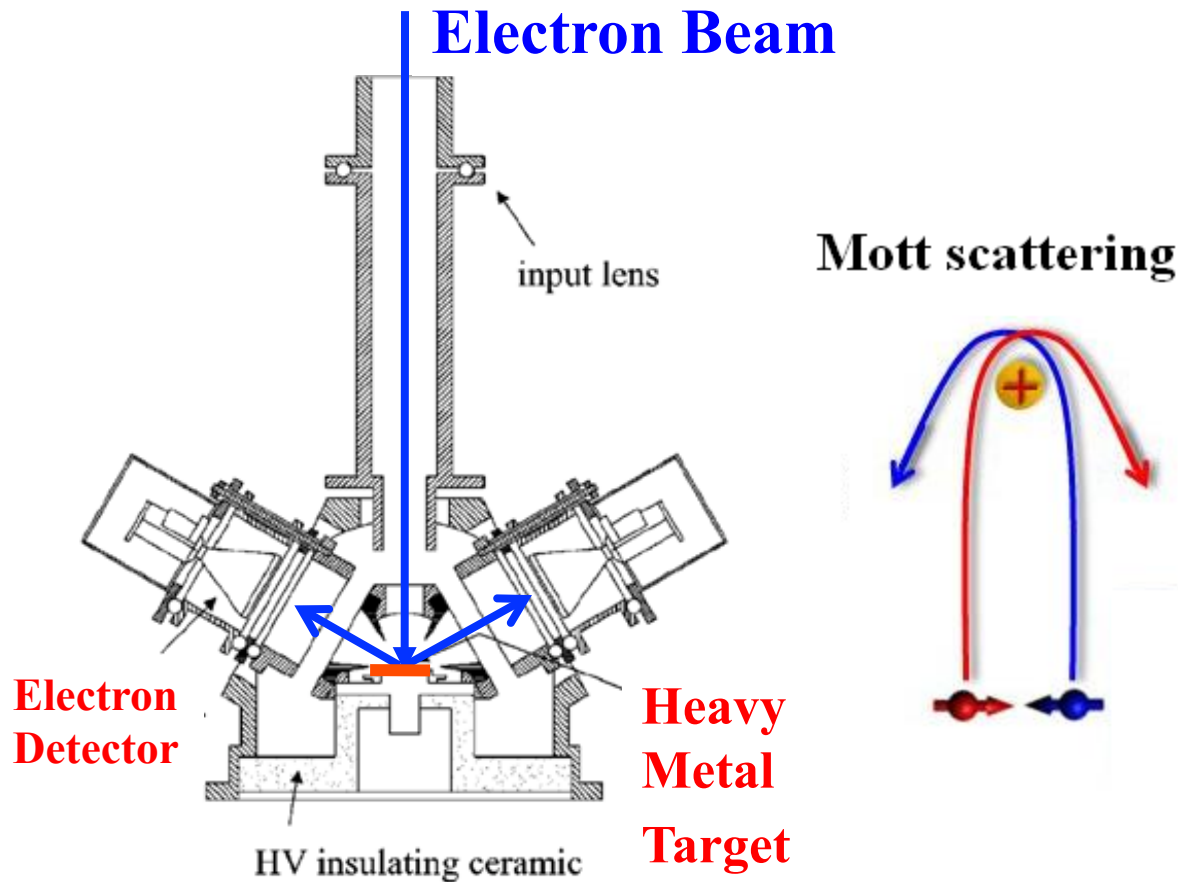
$$\Psi(E, k, s)$$

E-Energy ;
k-Momentum;
s-Spin.

Principle of Spin-Resolved ARPES

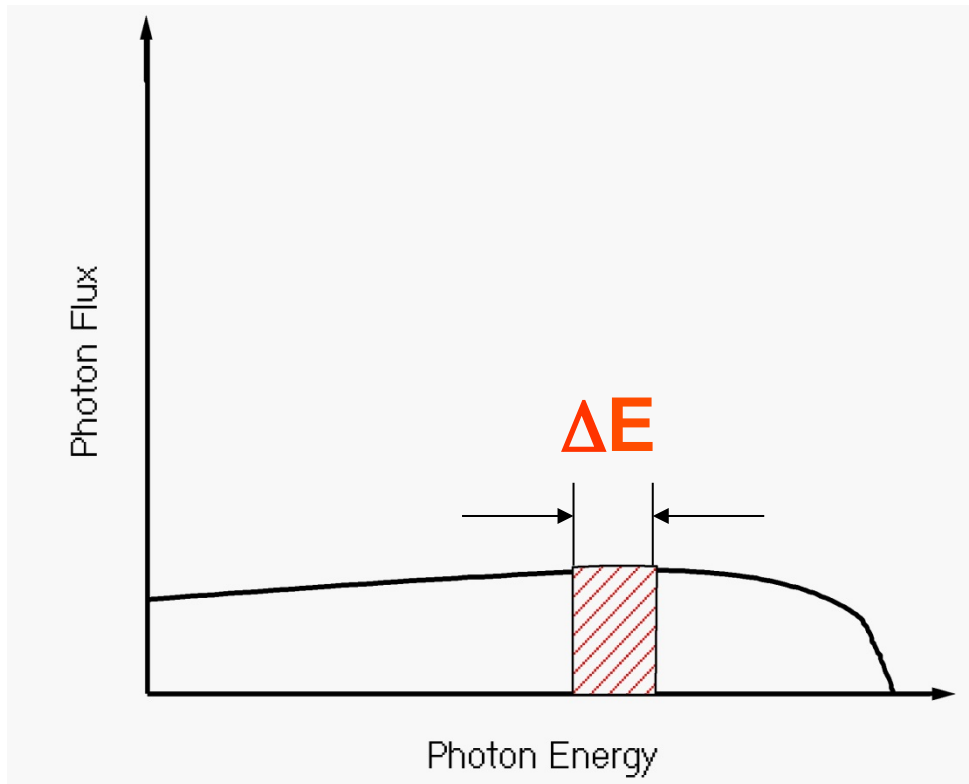


Mott Spin Detector



The efficiency of Mott Spin Detector is extremely low $\sim 10^{-4}$

Synchrotron Radiation-Based Spin ARPES

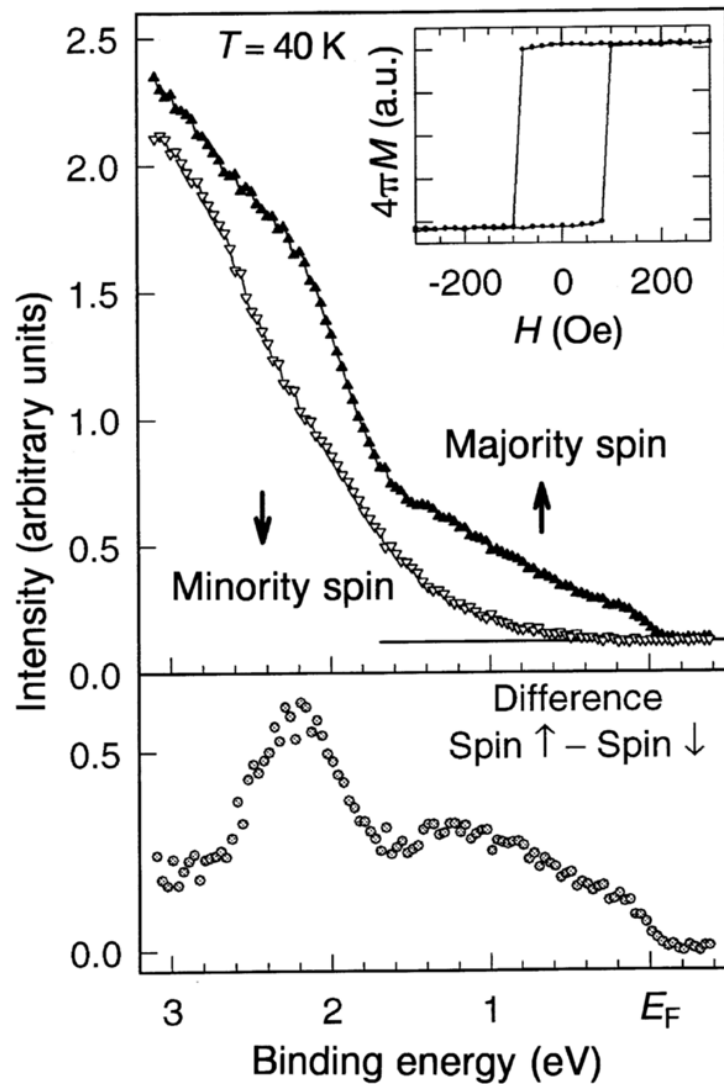
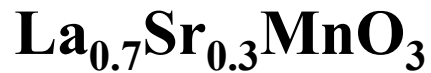


Energy Resolution ΔE
is inversely
proportional to
Light intensity

In order to get decent signal intensity:

- (1). Sacrifice of energy resolution to get high intensity;**
- (2). Angle-integrated measurements.**

Direct Evidence for a Half-Metallic Ferromagnet



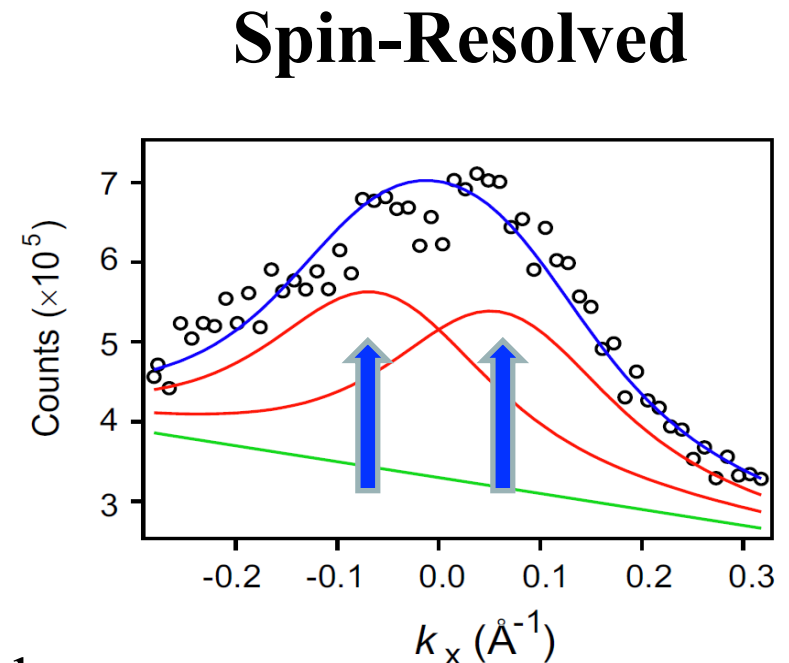
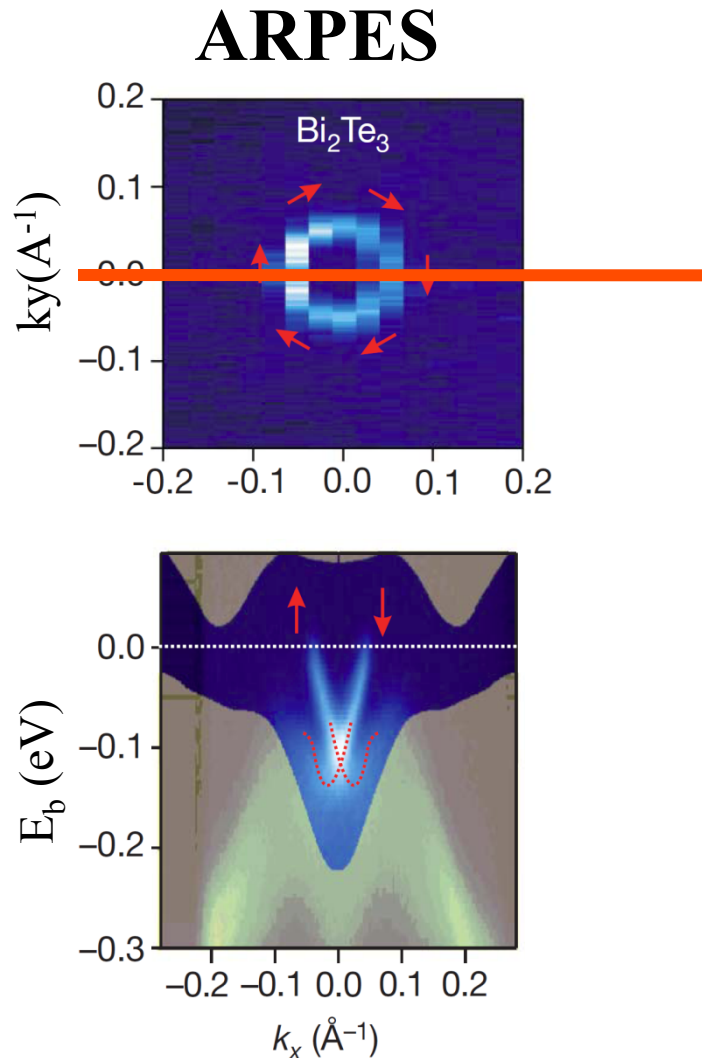
National Synchrotron Light Source (NSLS)
Brookhaven National Lab

1. Energy Resolution: 200 meV

2. Angle-Integrated.

J. H. Park et al.,
Nature 392 (1998) 794.

Spin-Resolved ARPES on Topological Insulators



Δk —Momentum Resolution

ΔE —Energy Resolution $\sim 80 \text{ meV}$

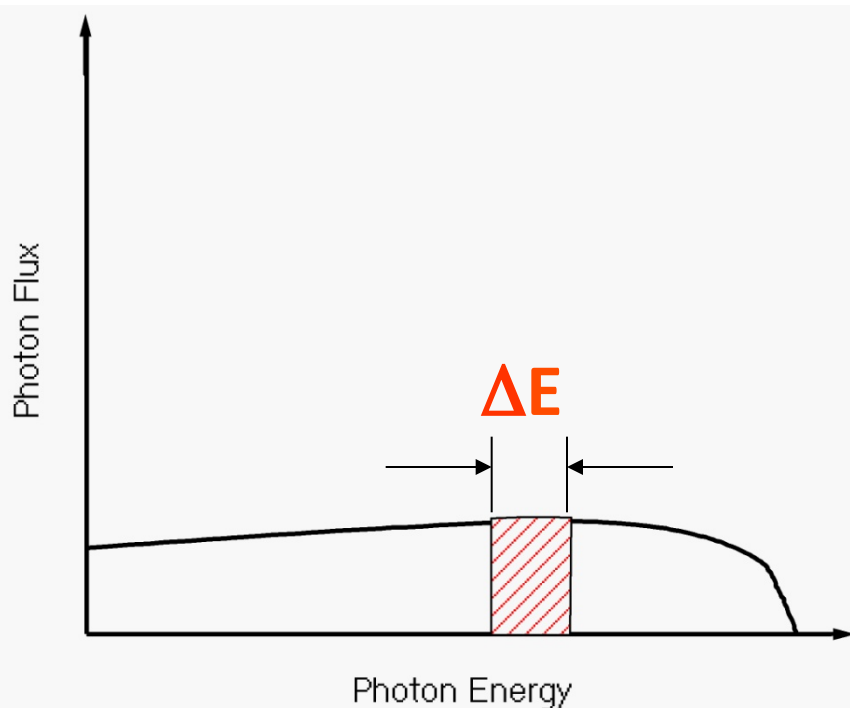
D. Hsieh et al.,
Nature 460 (2009) 1101

Done at Swiss Light Source

Advantages of Laser in Spin-Resolved Photoemission

Synchrotron Radiation

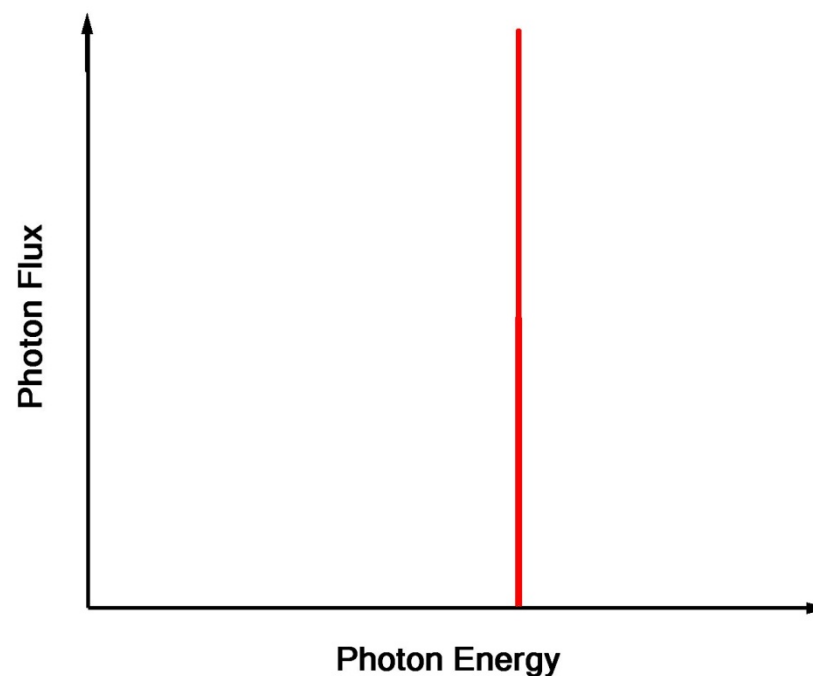
Energy resolution ΔE
coupled with photon flux



Best energy resolution: ~50-100meV

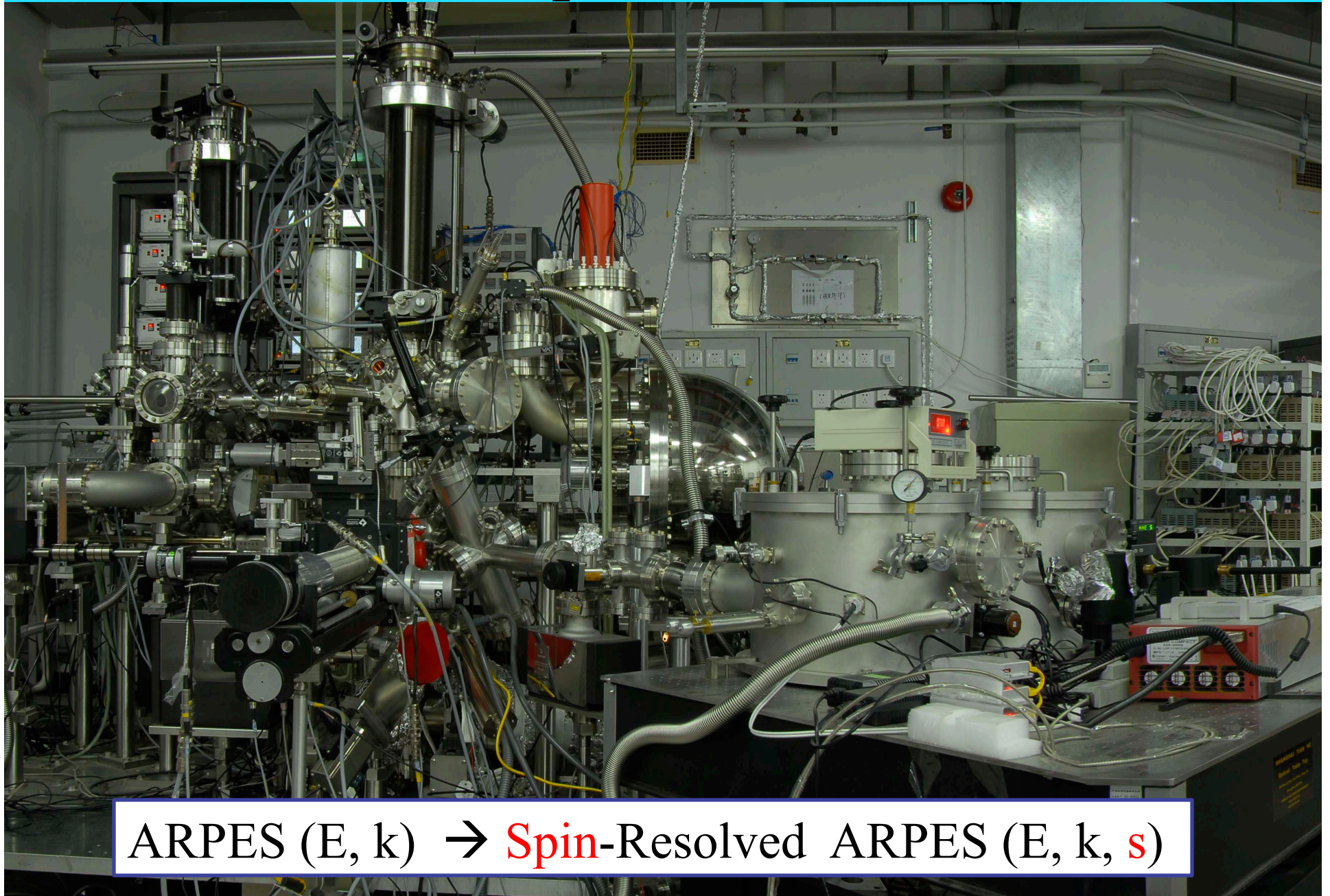
VUV Laser

Energy Resolution ΔE
decoupled with photon flux



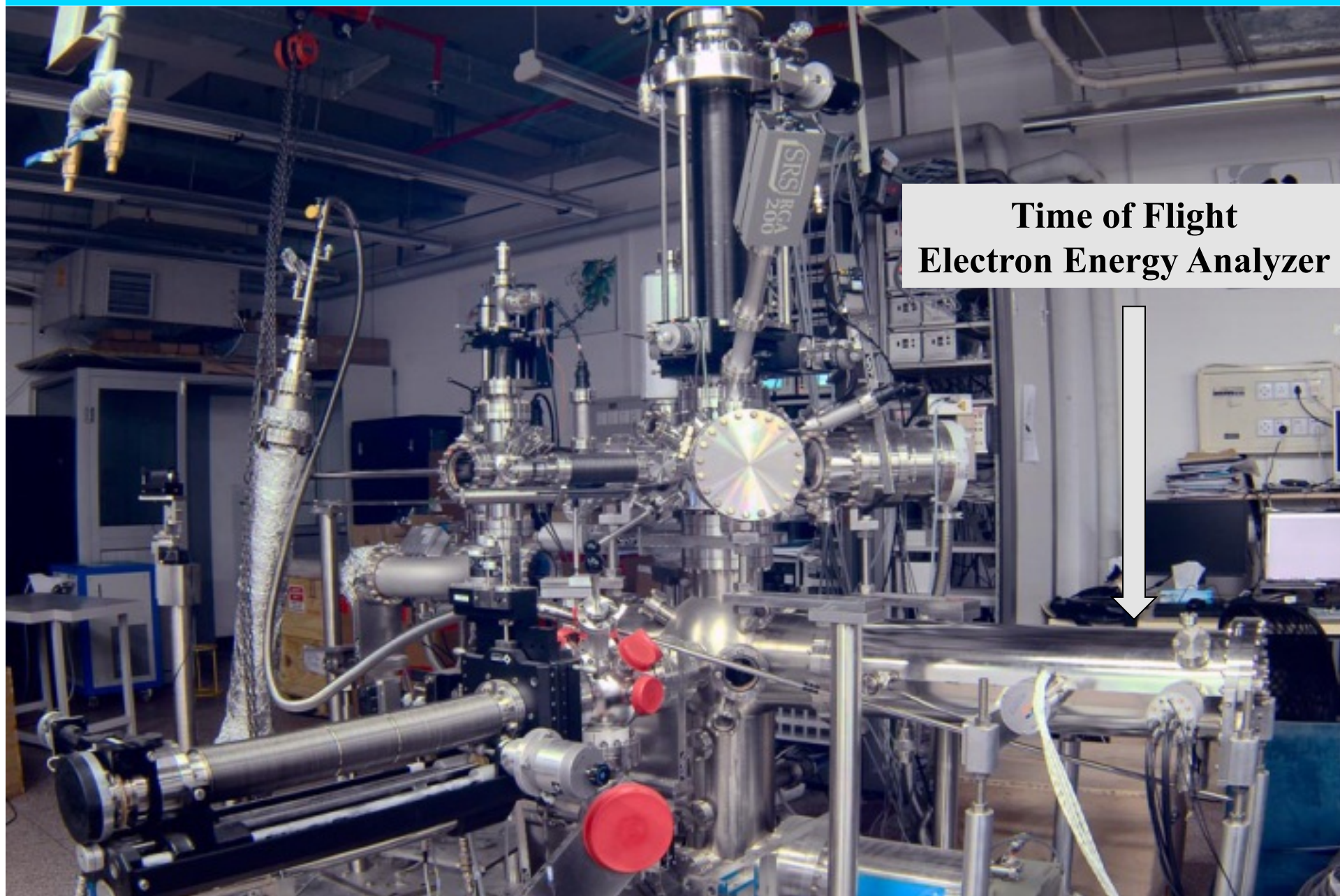
- (1). Narrow linewidth (0.26meV);
- (2). Extremely high photon flux (10^{15} photons/s).

VUV Laser Spin-Resolved ARPES



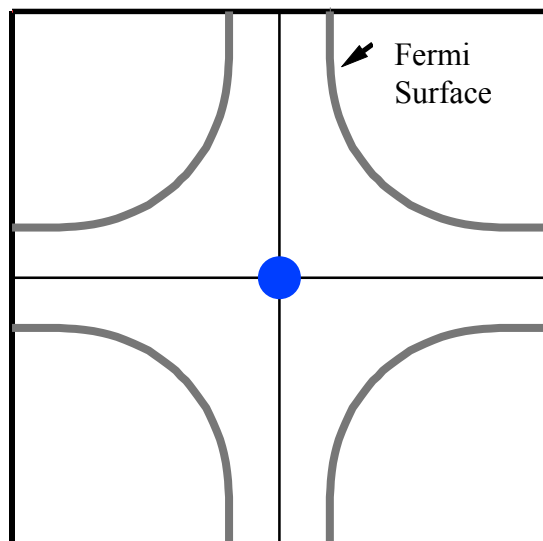
ARPES (E, k) $\rightarrow$ Spin-Resolved ARPES (E, k, s)

Laser ARPES Based on Time-of-Flight Analyzer



Evolution of Energy Analyzers: from 0D to 1D Angular Detection

Before Scienta (~1997)

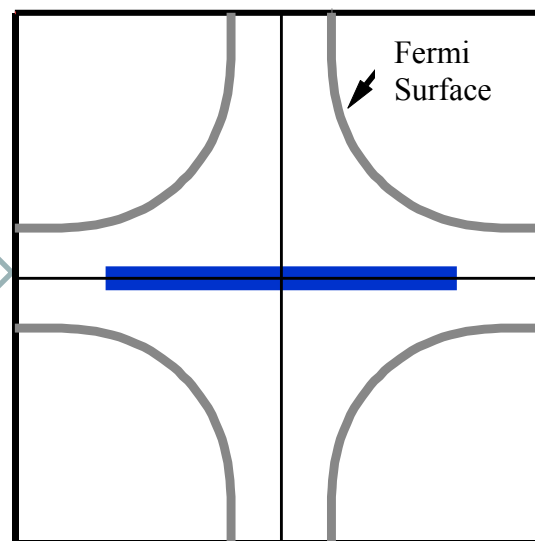


**Angle
Detection:
0D Point**

Hemispherical Analyzer



- Energy Resolu: $< 1 \text{ meV}$
- Angular Resolu: $0.1 \sim 0.4 \text{ Degree}$
- Angle Coverage: 1D: $\pm 15 \text{ degrees}$



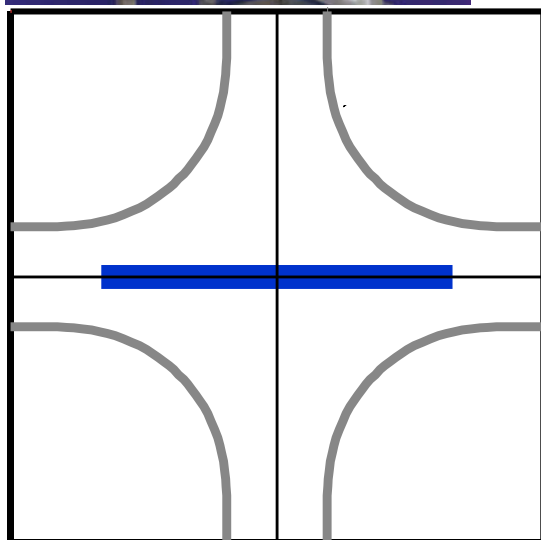
**Angle
Detection:
1D Line**

Time of Flight Analyzer: From 1D to 2D Angular Detection

Hemi-Spherical Analyzer



- Energy Res.: better than 1meV
- Angular Res: 0.1~0.4 Degree
- Angle Range: 1D: +-15 Deg.



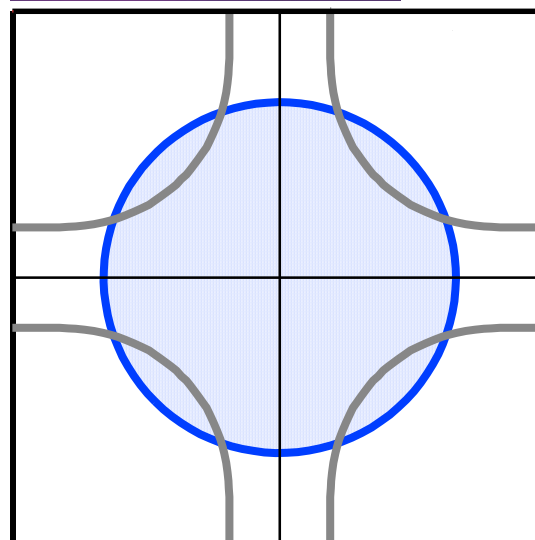
**Angle
Detection:
1D Line**



Time-of-Flight Analyzer



- Energy Res.: ~0.15meV
- Angular Res.: 0.08 Degree
- Angle Range: 2D: +-15Deg.



**Angle
Detection
2D Plane**

Efficiency of Angle Detection Improved by 250 times

Other Developments and Future Developments

- **Ultra-Low Temperature ARPES;**
He 3 pumping, Sample temperature < 1 K;
- **Laser ARPES with Higher Photon Energy;**
- **Time-Resolved ARPES;**
- **Spatially-Resolved ARPES.**

Summary

In the past two decades, ARPES has continuously experienced dramatic improvements;

This improvement still keeps going;

Every time there is a significant improvement on resolution, there are new findings.



Thanks